

Site-specific calculation

CT-AH-1012

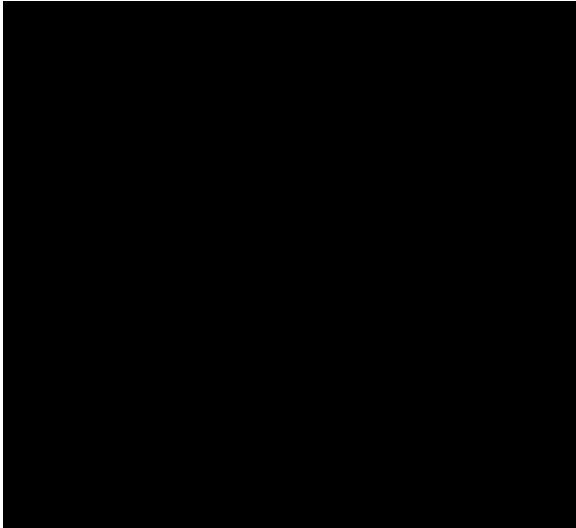
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Author : Aromal. S
Checked by : I. J. Bakker
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1. Introduction

Kroftman has requested IB Tent Engineers to provide a construction report for their container shelter structure (CT-AH-1012), which measures 10 meters wide and 12 meters long. The structure has an arched roof frame mounted on containers, which act as side walls and partially form the gable walls. One gable wall is fully closed, while the other is completely open.

The Book is based on the NF EN 1991 -1-4 "Wind actions on buildings".

Location  Festival, France



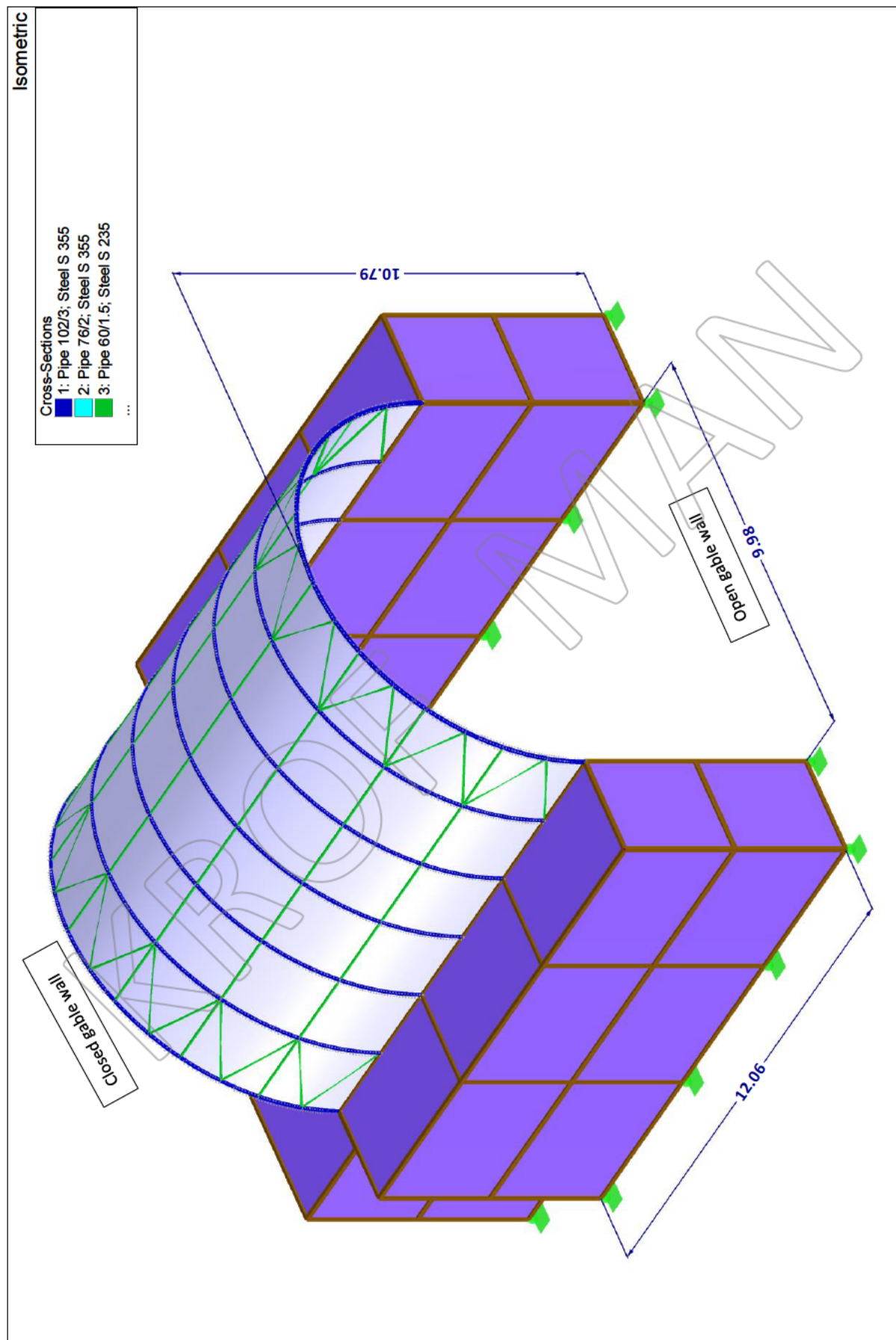
This investigation focuses on the strength of the roof frame and the required anchoring of the structure. The strength analysis is provided in the annex titled "240906 Kroftman Container Shelter 15 x 12m Build book Annex." Additionally, the forces in the connections have been compared with the capacity of the details in the annex.

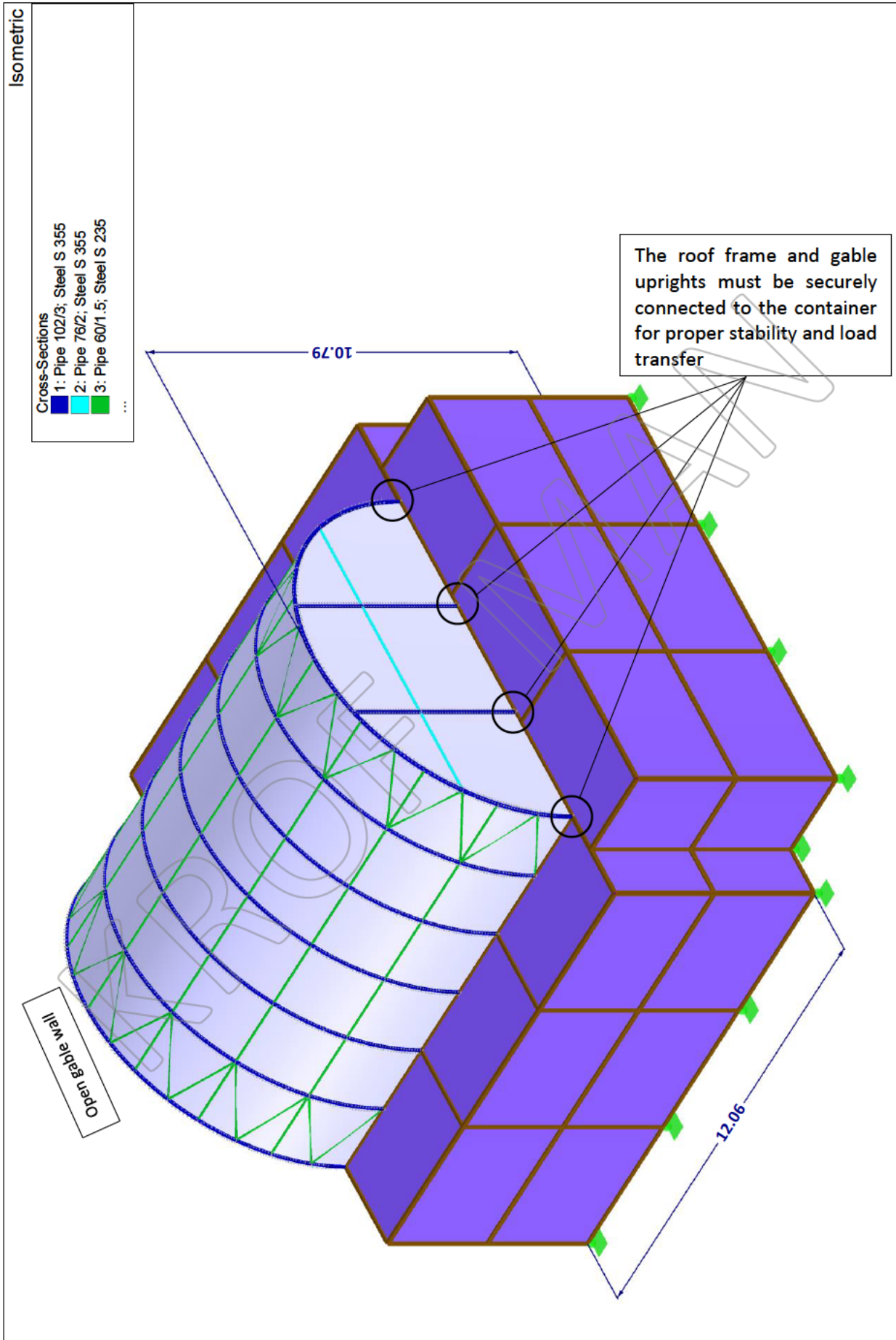
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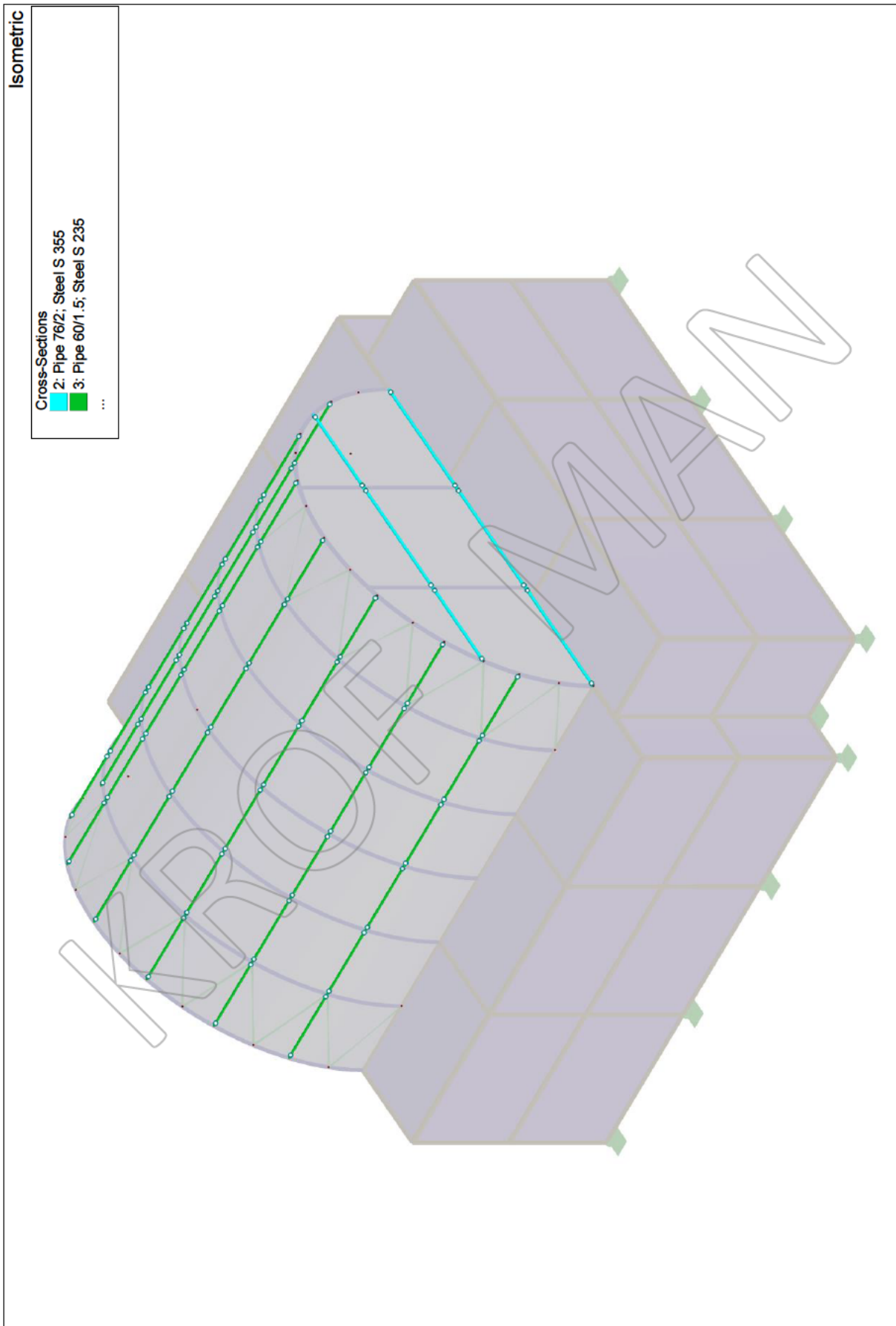
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3. RFEM 3D computer model for analysing

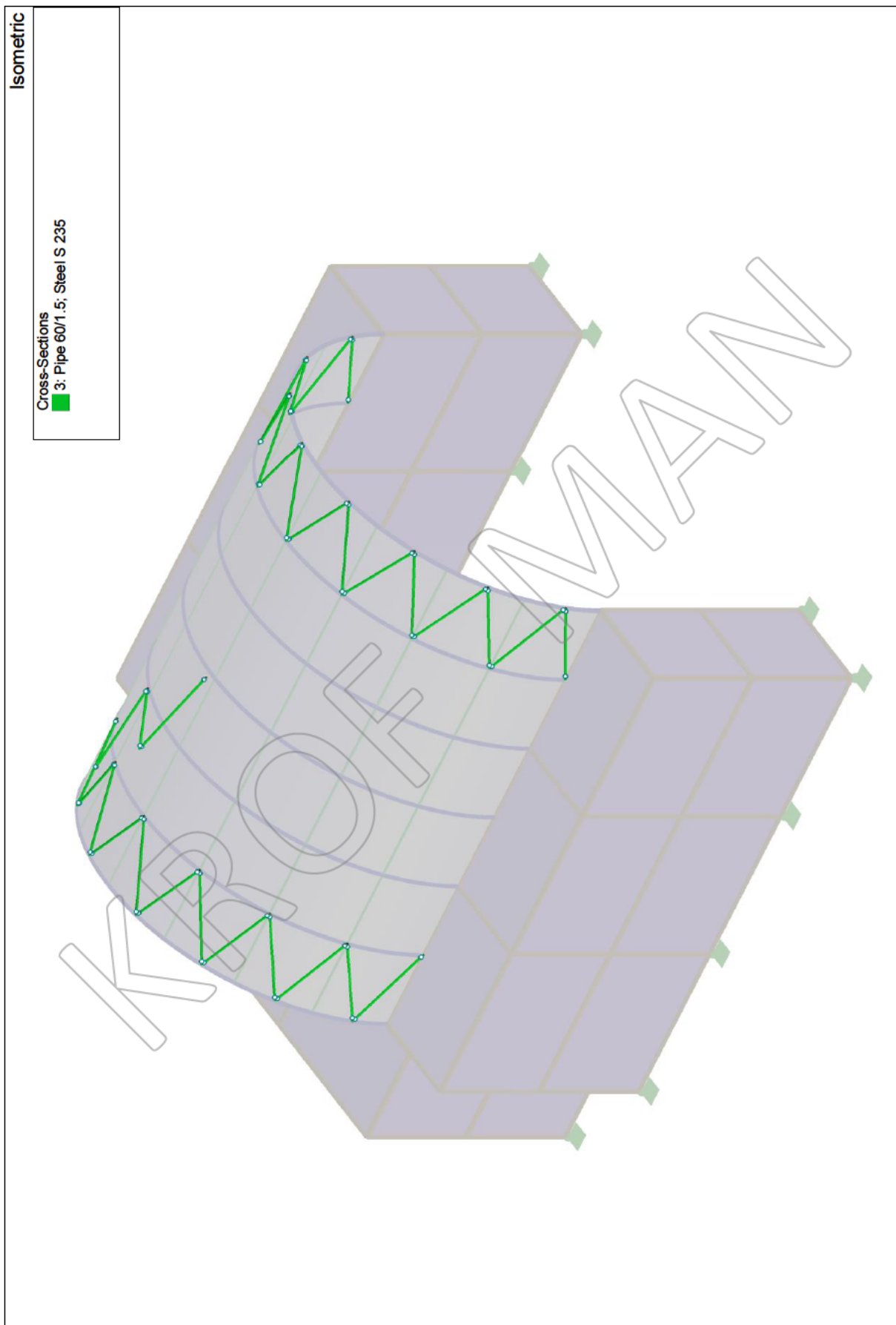




3.1. Purlins



3.2. Diagonals



4. Introduction to static analysis

The 3D Finite Element Software, “RFEM by Dlubal”, was used for performing a statical analysis.

For each configuration (in case there are multiple), a 3D model was analysed nonlinearly and according to the second-order theory. The printout of the RFEM report will be provided upon request.

An overview of the main structural beams with associated Unity Checks is to be found in chapter 6 of this report.

4.1. Standards

- EN 1990-1-1: “Fundamentals of Structural Design and NB”
- EN 13782_2015: “Tents – Safety”
- EN 1993-1-1: “Steel structures”
- NF EN 1991 -1-4 “Wind actions on buildings”

4.2. Use and safety factors

4.2.1. Use of structure

The structure in this calculation is meant to be used as a Semi-permanent structure. The reference period is set to 15 years

4.2.2. Consequence class

The Consequence Class is set to CC2, $K_{FI} = 1$ [1/1].

5. Loads on structure

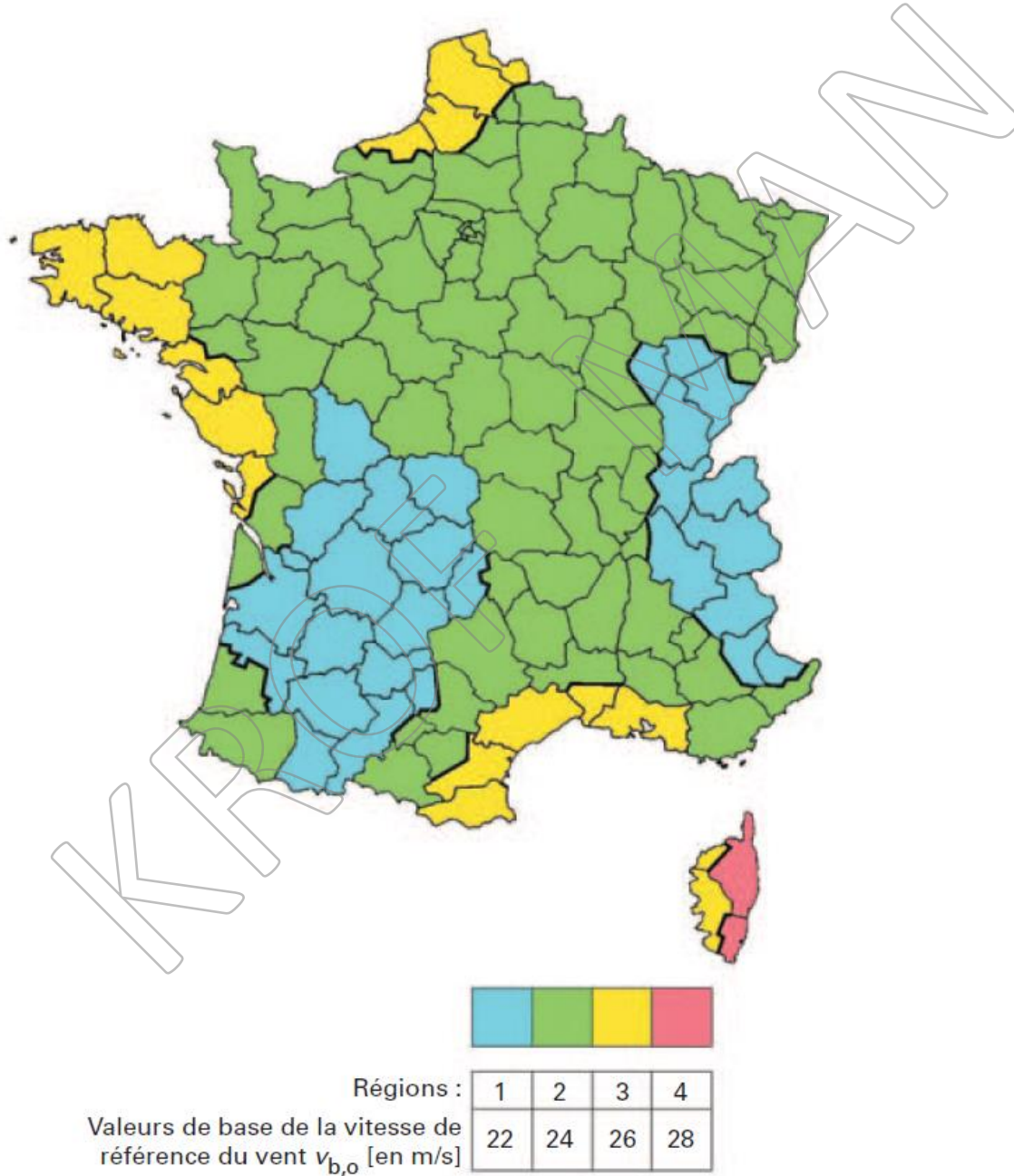
5.1. Own weight

The RFEM software has automatically included the weight of the components. Additionally, the weight of the 40-foot container has been added.

Weight of one container = 3750 kg.

5.2. Wind loads

The wind loads on the structure are based on NF EN 1991-1-4 "Wind actions on buildings".



Project:	CT-AH-1012
Structure:	10 x 12 m
Date:	23-10-2024
According to the code:	NF EN 1991-1-4

Wind zone:	3	
Terrain category	III a	
Reference period	15	Years
C _{prob}	0.94	
Reference wind speed from map, V _{b,0}	26	[m/s]
Height of the structure above ground level, Z	11	m
Roughness length of the terrain category, Z ₀	0.2	m

Season factor, C _{season}	1	
Direction factor, C _{dir}	1	
Basic wind speed, V _b	24.336	[m/s]
Terrain factor, k _r	0.209	
Roughness factor, C _r (z)	0.838	
Orographic factor, C _o (z)	1	
Average wind speed, V _m (z)	20.38	[m/s]
Turbulence factor, k _t	0.97	
Density of air, ρ	1.225	Kg/m ³

Turbulence intensity, I _v (z)	0.242	
Dynamic wind pressure, q _p (z)	686	N/m ²

$$V_b = C_{dir} \cdot C_{season} \cdot V_{b,0} \cdot C_{prob}$$

$$C_r(z) = K_r \ln(Z/Z_0)$$

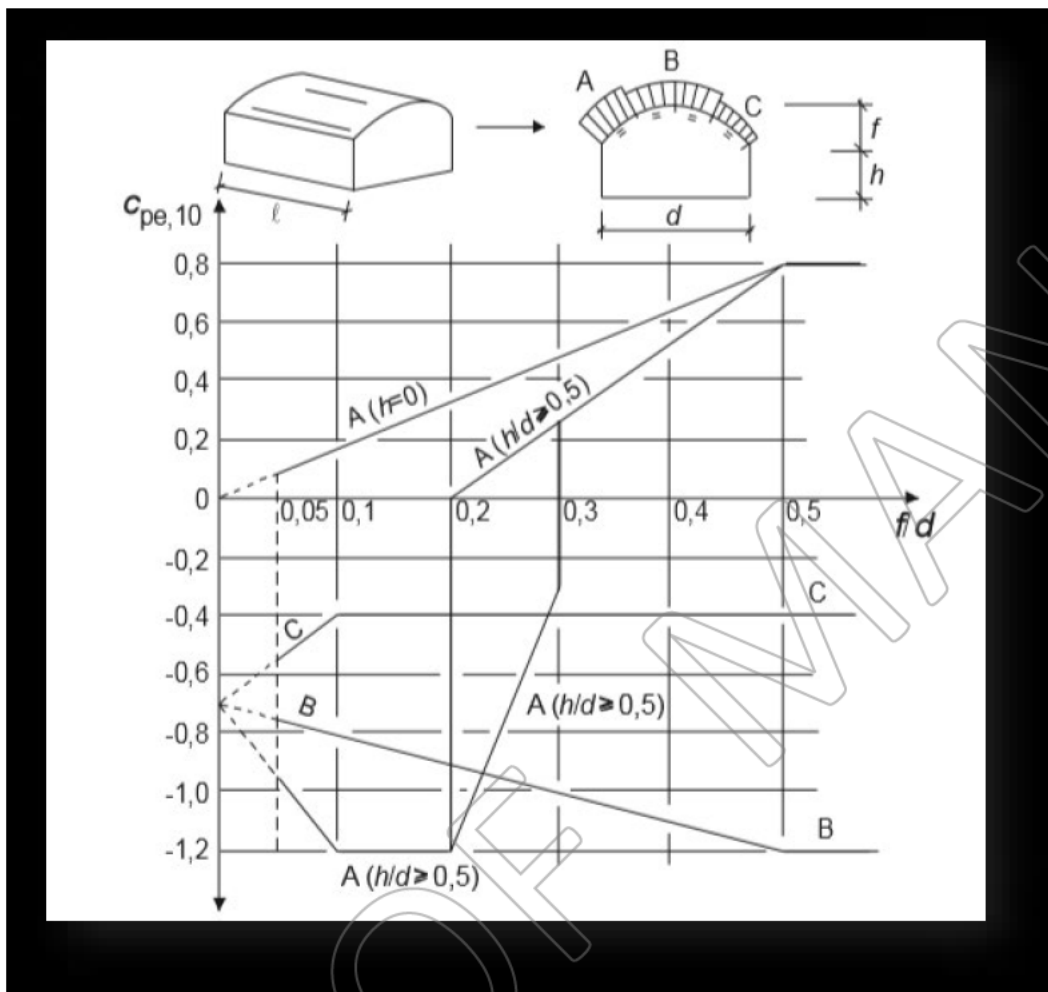
$$V_m(z) = C_r(z) \cdot C_o(z) \cdot V_b$$

$$I_v(z) = \frac{\sigma_v}{V_m(z)} = \frac{k_1}{C_o(z) \cdot \ln(Z/Z_0)}$$

$$q_p(z) = [1 + 7 \cdot I_v(z)] \cdot \frac{1}{2} \cdot \rho \cdot V_m^2(z) = C_e(z) \cdot q_b$$

5.3. Wind pressure coefficients

According to NF EN 1991-1-4_2005, wind pressure coefficients have been applied for arched roofs as per the below scheme.



$f = 5.04 \text{ m}$

$h = 5.79 \text{ m}$

$d = 10 \text{ m}$

$f/d = 0.504$

The wind pressure coefficients for different zones are as follows.

$A = 0.8$

$B = -1.2$

$C = -0.4$

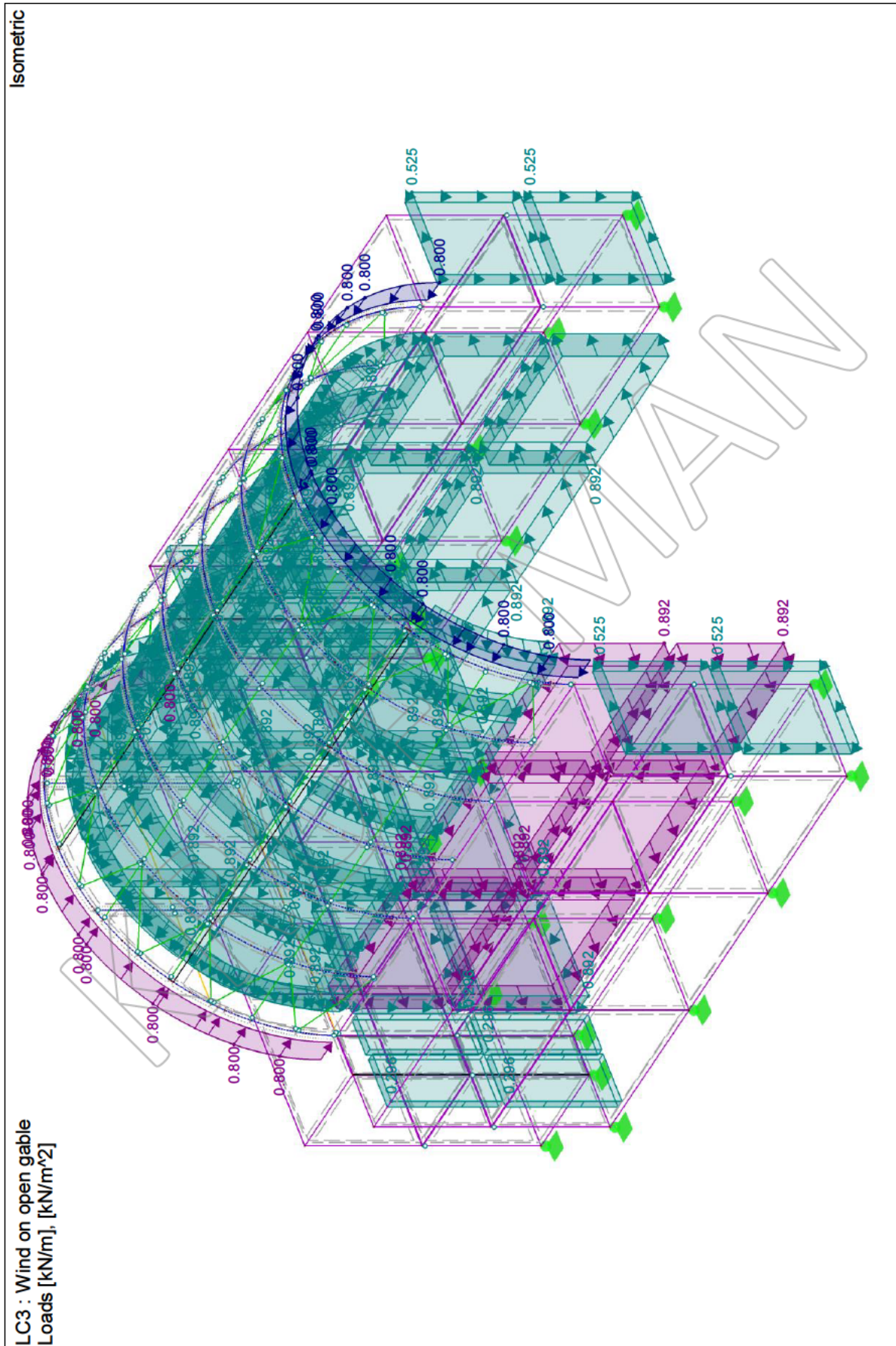
For wind acting from the left, internal wind pressure coefficients on the closed gable wall are calculated by averaging the wind zone areas and their corresponding pressure coefficients.

For wind acting through the open gable wall, internal wind pressure coefficients on the roof and side walls are applied as $C_p = 1.3$.

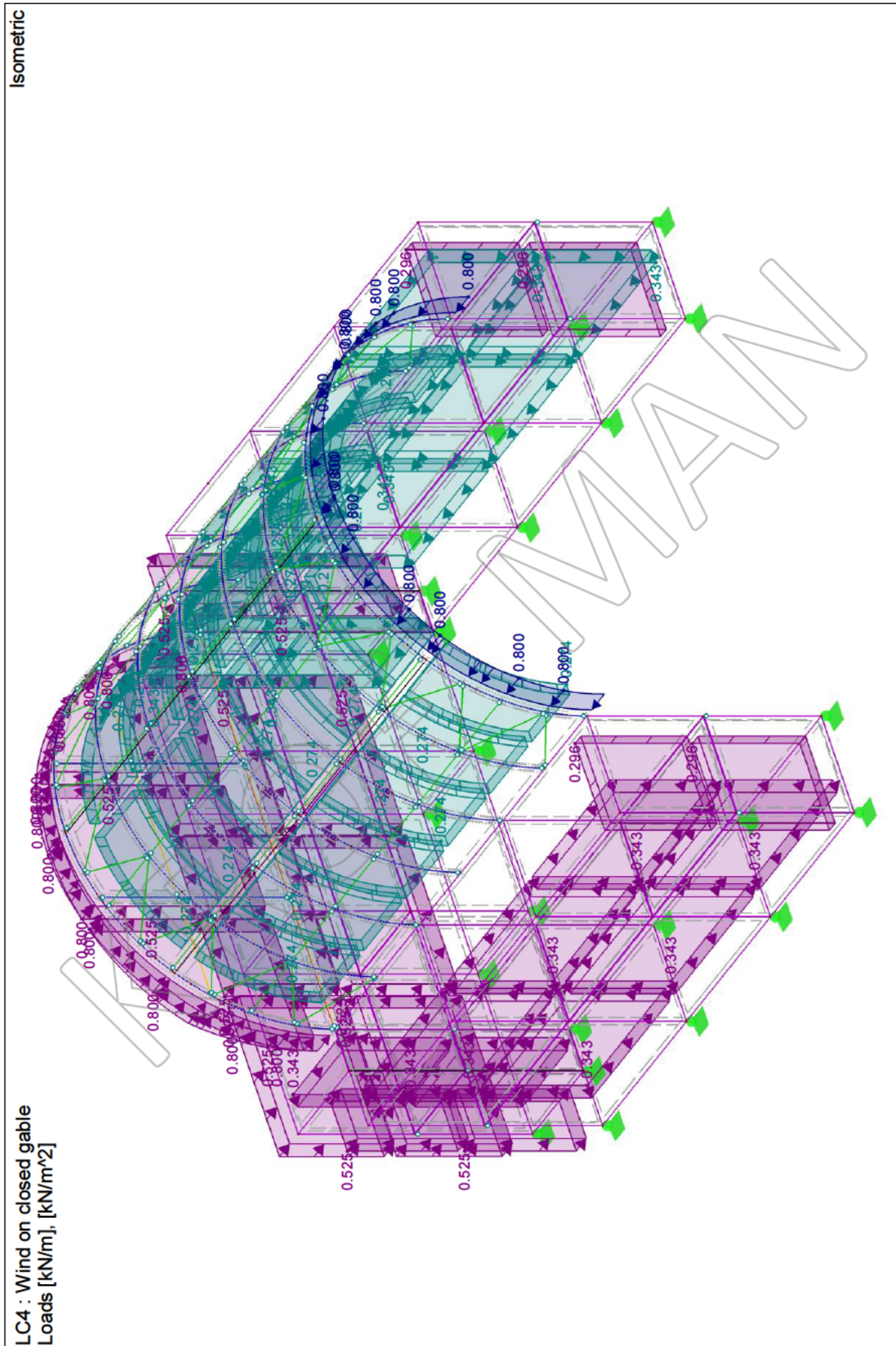
The wind pressure coefficients for the sidewalls and roof are applied as per the scheme illustrated on the following pages.

[illegible]

5.3.2. Wind load: Wind on open gable (LC3) – $C_p \times q_p$



5.3.3. Wind load: Wind on closed gable (LC4) – $C_p \times q_p$



5.4. Seismic forces

Seismic forces may generally not be conserved because of the flexibility and light weight of the tent. Therefore, seismic forces have not been examined.

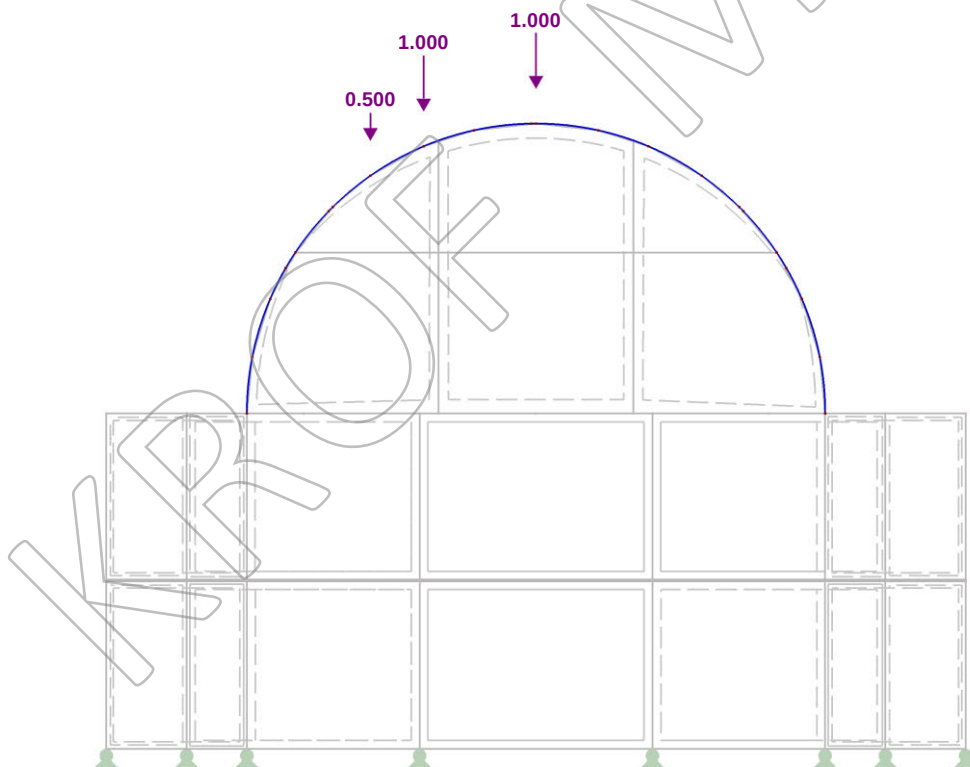
5.5. Live loads

This static analysis includes no floors, stairways, landings, ramps, raised floors, or platforms.

5.6. Roof weights

The additional roof weights (signs, lights, speakers and other hanging weights) should not exceed the weight of 250 kg per frame. This weight should be equally distributed amongst the entire span but may also be distributed amongst one-half spans. Roof weights are to be hung from the main frames only. Never use a purlin to hang weight from.

- If concentrated loads of more than 100 kg (1 kN) need to be applied, contact your rental company to get these loads and positions approved.
- Use dedicated brackets or clamps to apply the loads onto the roof frames.
- Unforeseen dynamic effects of hanging weights during (peak) winds are not taken into account. Prevent increasing movements due to own frequency and weights.



5.7. Snow load on roof frame

The maximum allowable roof weight onto fabric like sand or snow is chosen to 0.5 kN/m² (+/- 50 kg/m²).

According to EN 1991-1-3_2003, snow load has been applied for arched roofs as per the below scheme.

NOTE 2: Rules for considering the effect of snow fences for snow loads on cylindrical roofs may be given in the National Annex.

(2) The undrifted load arrangement which should be used is shown in Figure 5.6, case (i).

(3) The drifted load arrangement which should be used is shown in Figure 5.6, case (ii), unless specified for local conditions.

NOTE: Based on local conditions an alternative drifting load arrangement may be given in the National Annex.

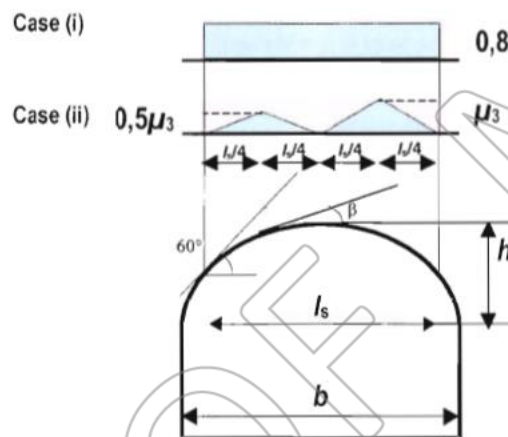


Figure 5.6: Snow load shape coefficients for cylindrical roof

$$h = 5.04 \text{ m}$$

$$b = 10 \text{ m}$$

$$h/b = 5.04 / 10 = 0.504$$

$$\mu_3 = 2$$

Therefore,

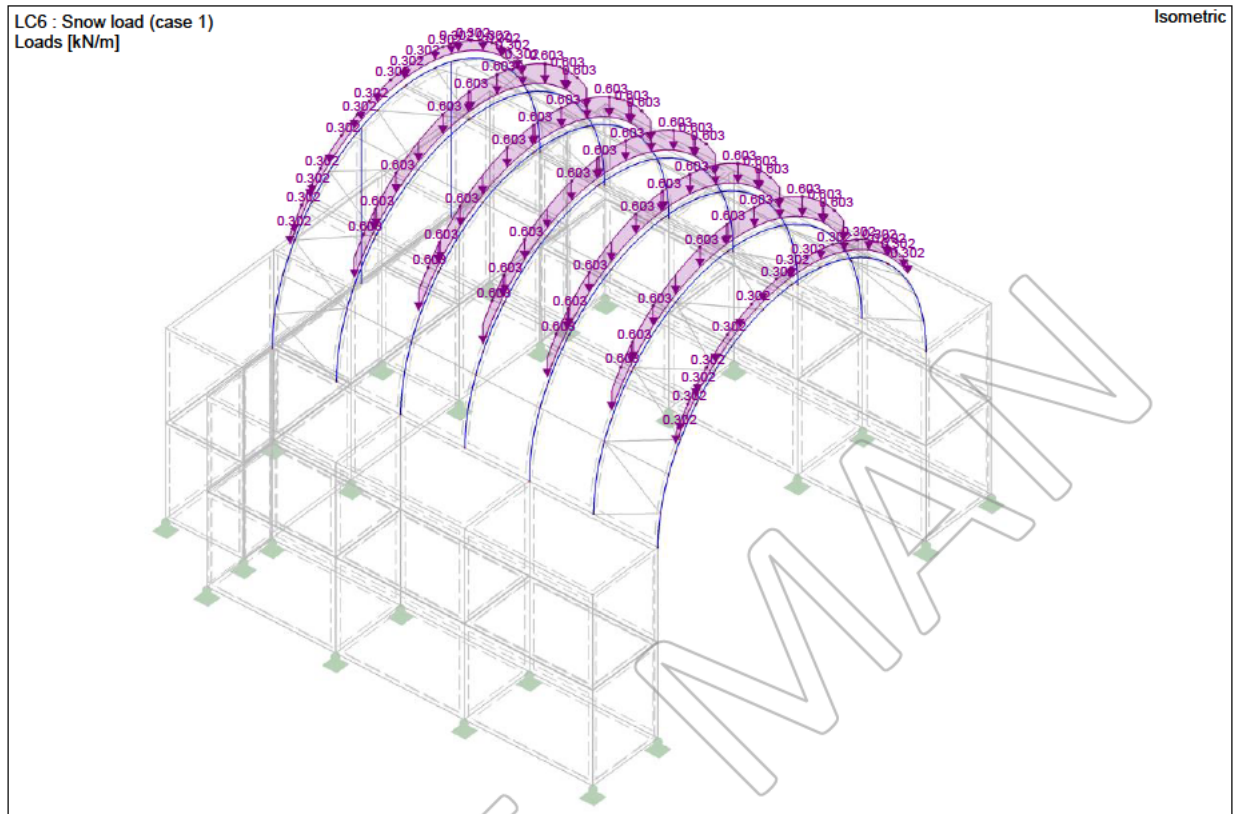
$$\text{Snow load (case 1)} = 0.8 \times 0.75 \times 0.5 = 0.3 \text{ kN/m}^2$$

Snow load (case 2)

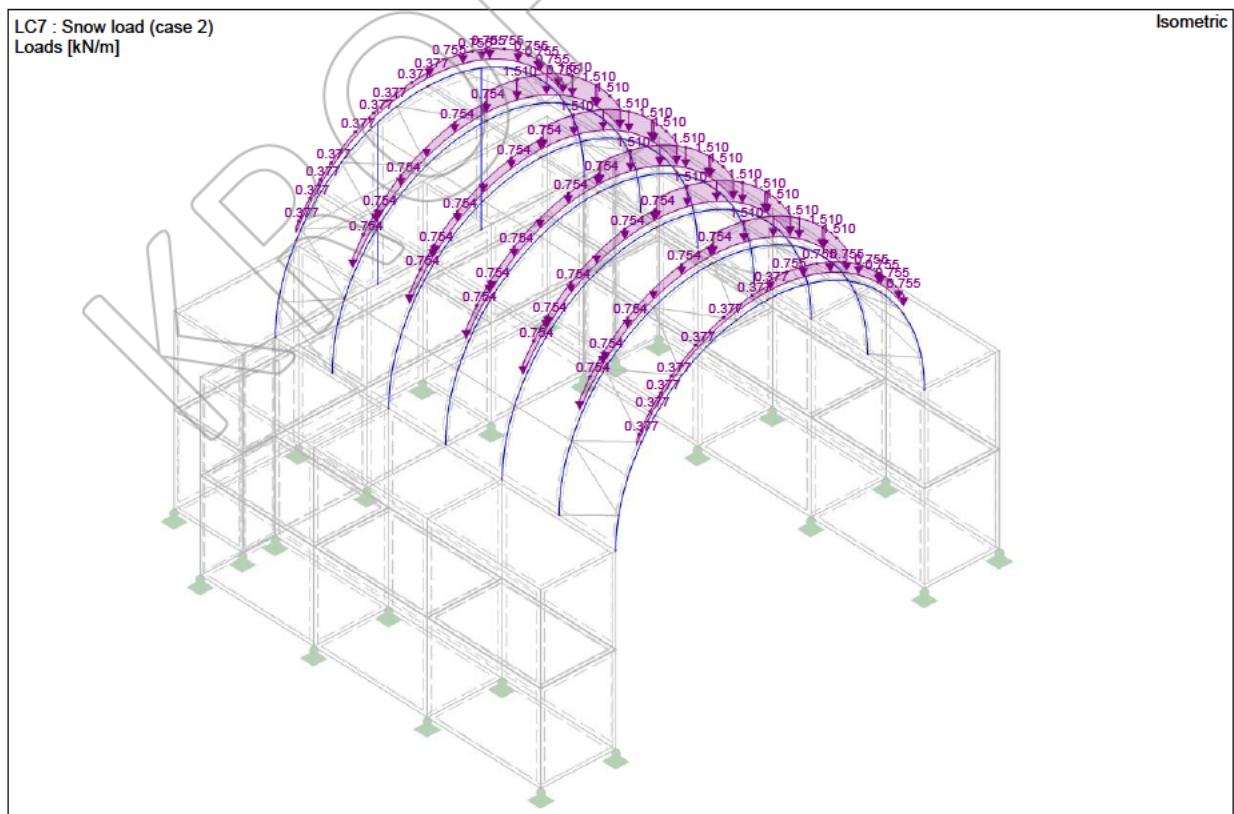
- $0.5 \times \mu_3 \times 0.75 \times 0.5 = 0.375 \text{ kN/m}^2$
- $\mu_3 \times 0.75 \times 0.5 = 0.75 \text{ kN/m}^2$

The snow load has been applied to the roof as per the illustrated below.

5.7.1. Snow load - case: 1



5.7.2. Snow load - case: 2



5.8. Imperfections

Imperfections have been taken into account by adding an additional load case, “imperfection” according to EN 1993-1-1: 2005-07.

5.9. Load cases and combinations

5.9.1. Load cases

Load Case	Description	To Solve	EN 1990 NEN:2011 Action Category	Self-Weight - Factor in Direction			
				Active	X	Y	Z
LC1	Own Weight	+	Permanent	+	0.000	0.000	-1.000
LC2	Wind from left	+	Wind	-	0.000	0.000	0.000
LC3	Wind on open gable	+	Wind	-	0.000	0.000	0.000
LC4	Wind on closed gable	+	Wind	-	0.000	0.000	0.000
LC5	Roof weights	+	Permanent/Imposed	-	0.000	0.000	0.000
LC6	Snow load 1	+	Snow ($H \leq 1000$ m a.s.l.)	-	0.000	0.000	0.000
LC7	Snow load 2	+	Snow ($H \leq 1000$ m a.s.l.)	-	0.000	0.000	0.000
LC8	Imperfections	+	Imperfection	-	0.000	0.000	0.000

5.9.2. Load combinations

Load	Load Combination				LC.1		LC.2		LC.3		LC.4	
Combin.	DS	Description	To Solve	Factor	No.	Factor	No.	Factor	No.	Factor	No.	
CO1	0	Wind from left	+	1.350	LC1	1.500	LC2	1.000	LC8			
CO2	0	Wind on open gable	+	1.350	LC1	1.000	LC8	1.500	LC3			
CO3	0	Wind on closed gable	+	1.350	LC1	1.500	LC4	1.000	LC8			
CO4	0	Wind from left and roof weights	+	1.350	LC1	1.350	LC2	1.350	LC5	1.000	LC8	
CO5	0	Wind on open gable and roof weights	+	1.350	LC1	1.350	LC3	1.350	LC5	1.000	LC8	
CO6	0	Snow load	+	1.350	LC1	1.000	LC8	1.500	LC6			
CO7	0	Snow load 2	+	1.350	LC1	1.000	LC8	1.500	LC7			
CO8	0	Anchoring wind from left	+	1.000	LC1	1.500	LC2					
CO9	0	Anchoring wind on open gable	+	1.000	LC1	1.500	LC3					
CO10	0	Anchoring wind on closed gable	+	1.000	LC1	1.500	LC4					
CO11	0	Wind from left (SLS)	+	1.000	LC1	1.000	LC2					

6. Check on main elements

6.1. Steel

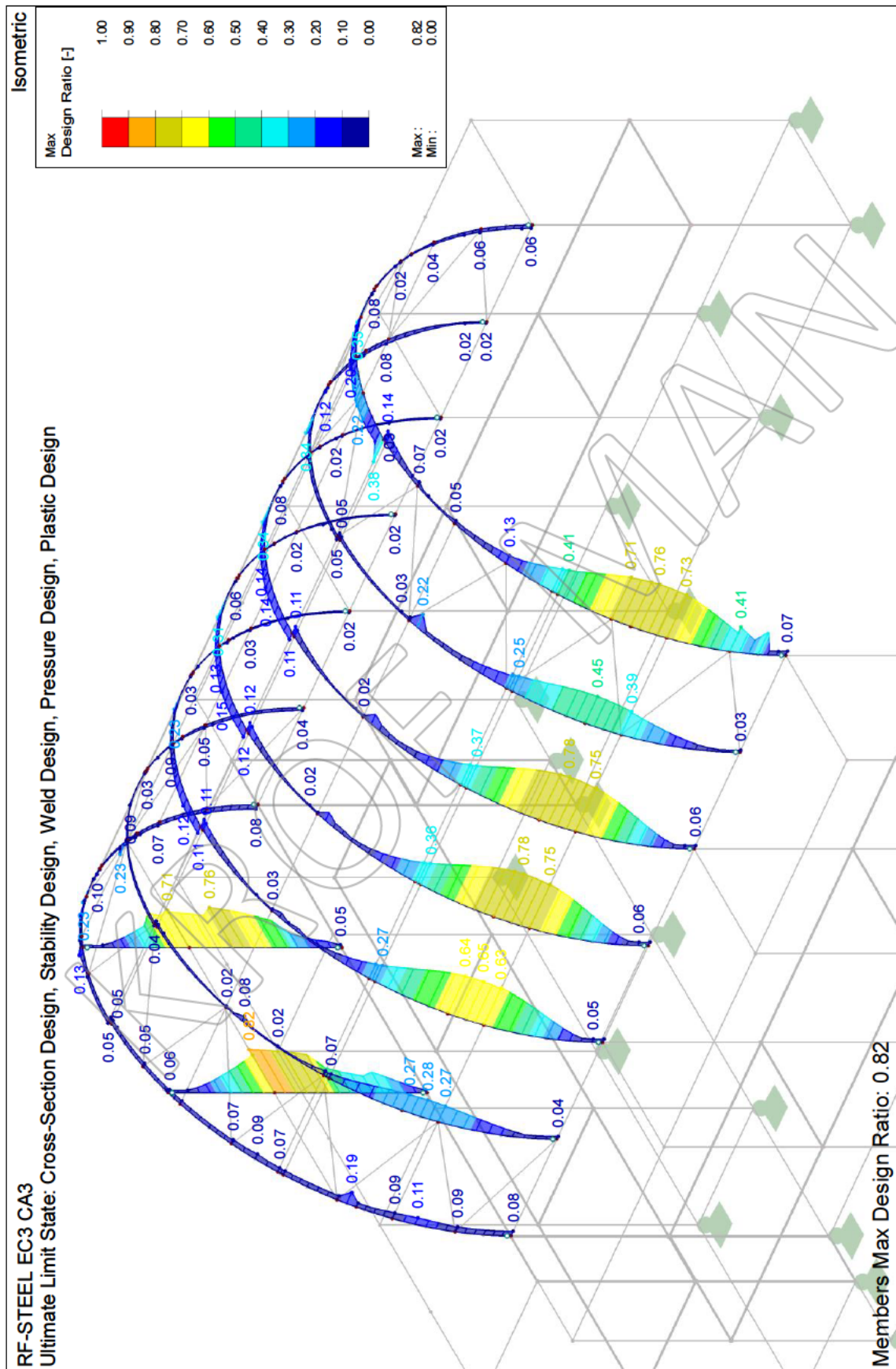
The steel members have been checked according to all relevant equations within the EN 1993: Steel structures.

Conclusion: All members were found to fulfil the requirements.

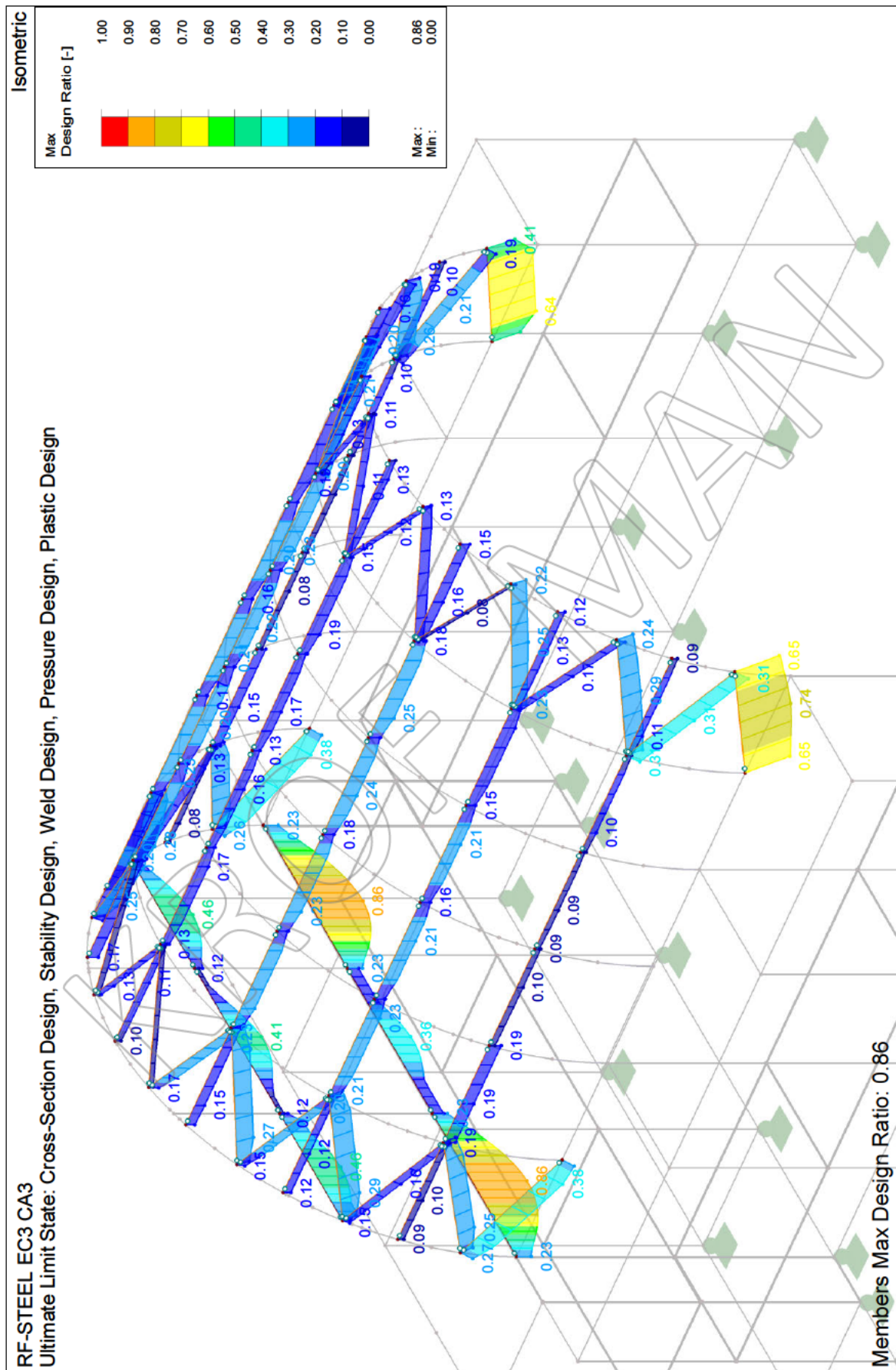
KROFTMAN

6.2. Steel Unity check (Wind)

6.2.1. Main frames

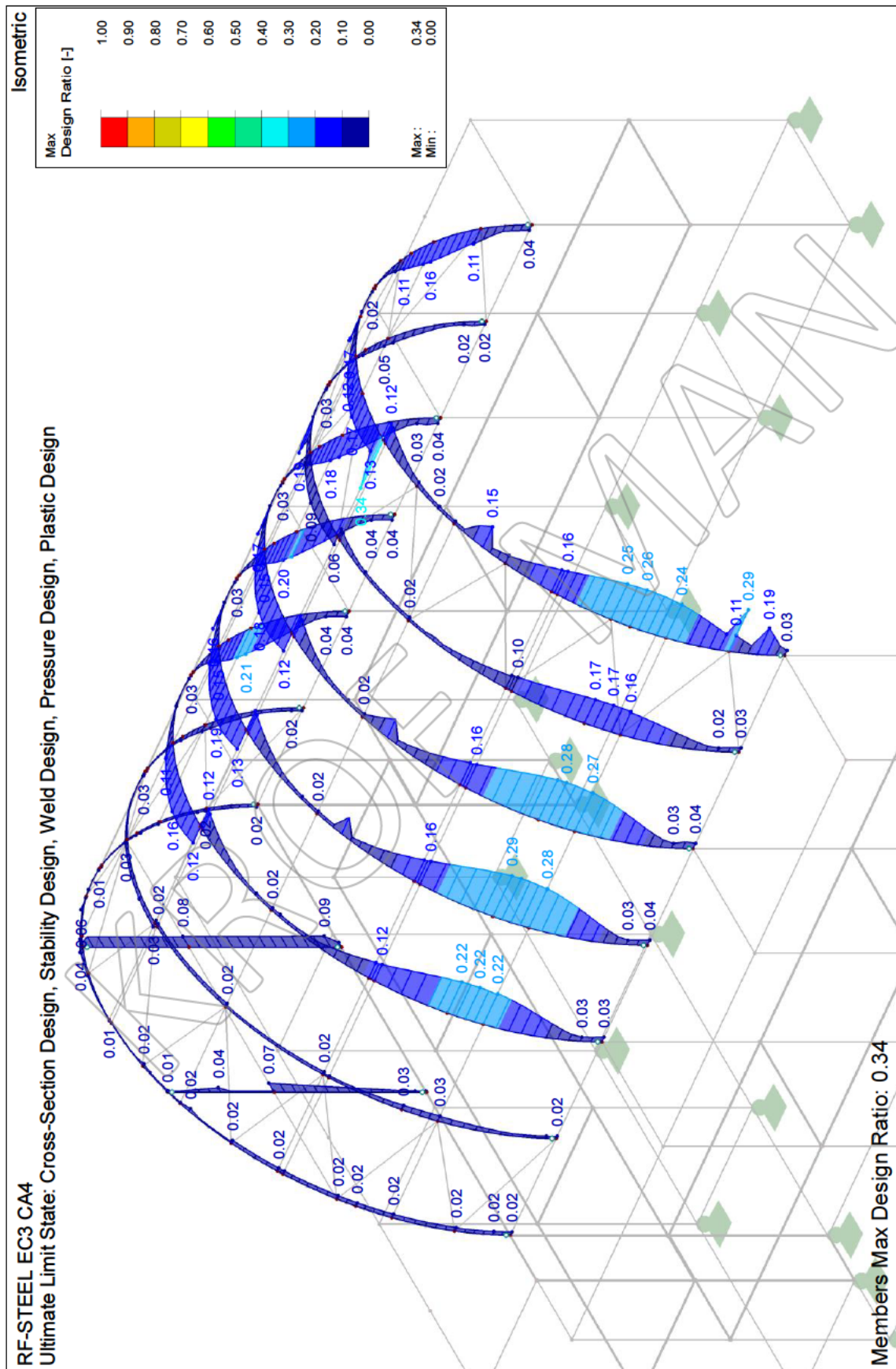


6.2.2. Purlins & diagonals

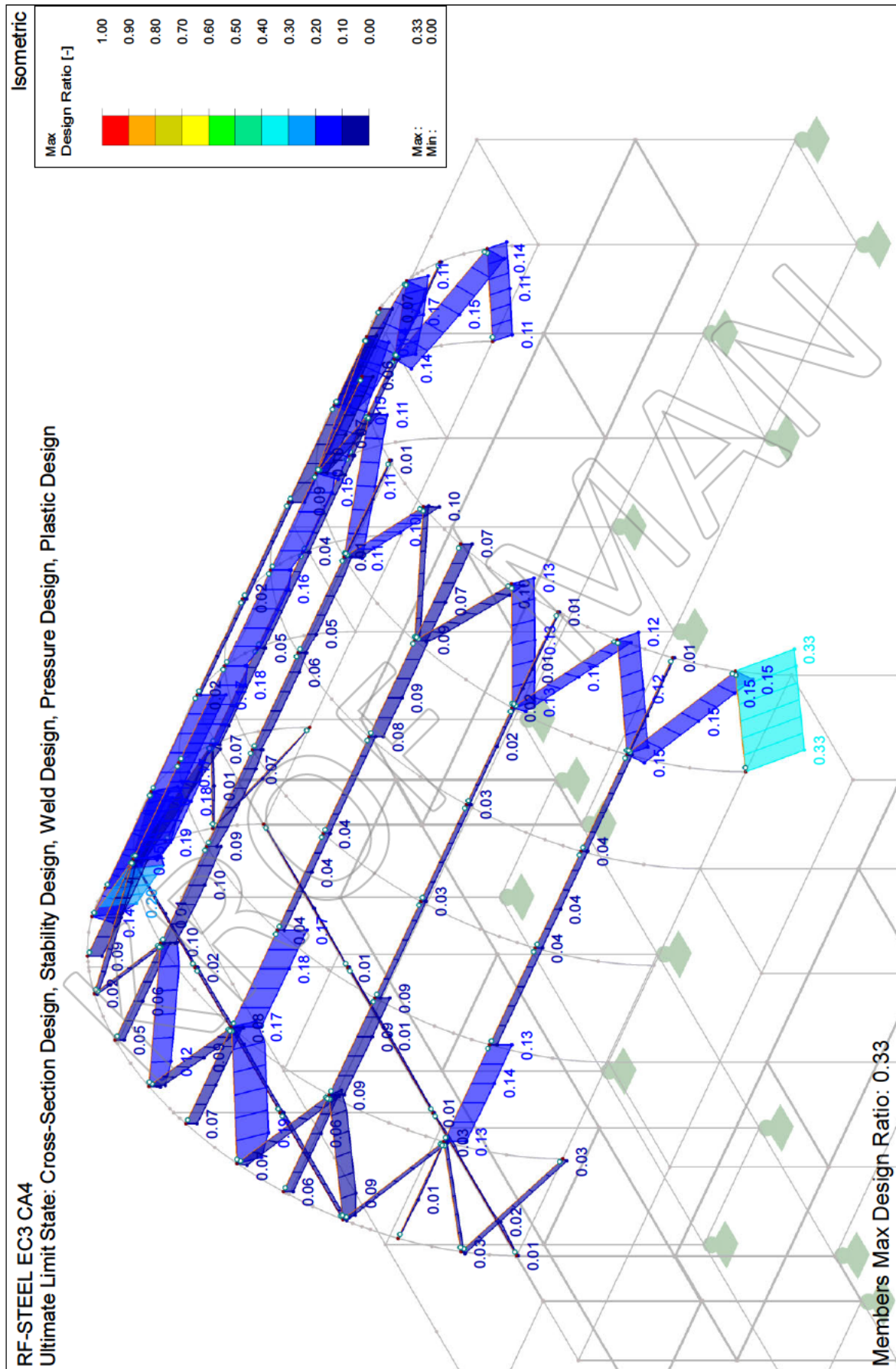


6.3. Steel Unity check (Snow)

6.3.1. Main frames

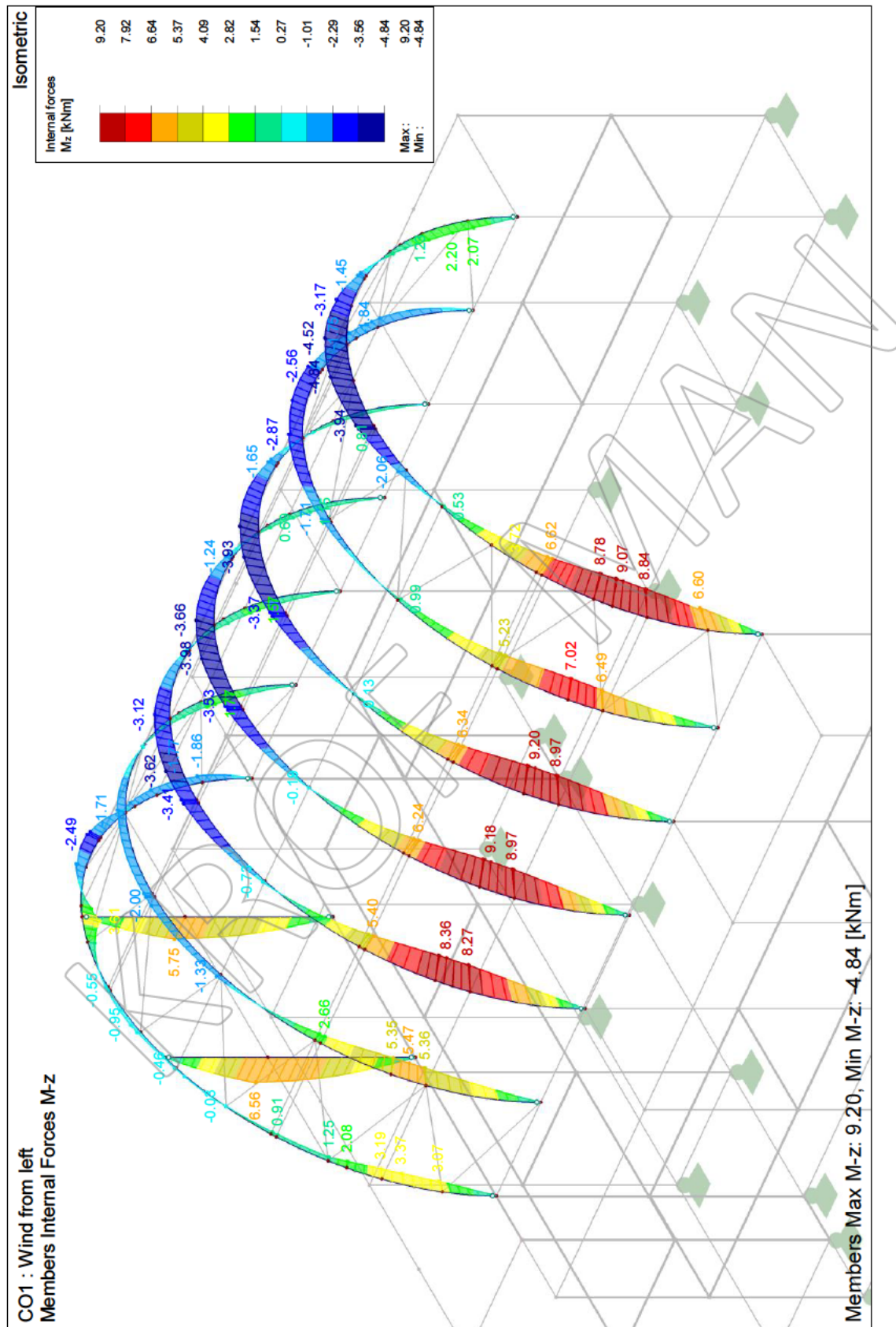


6.3.2. Purlins & diagonals



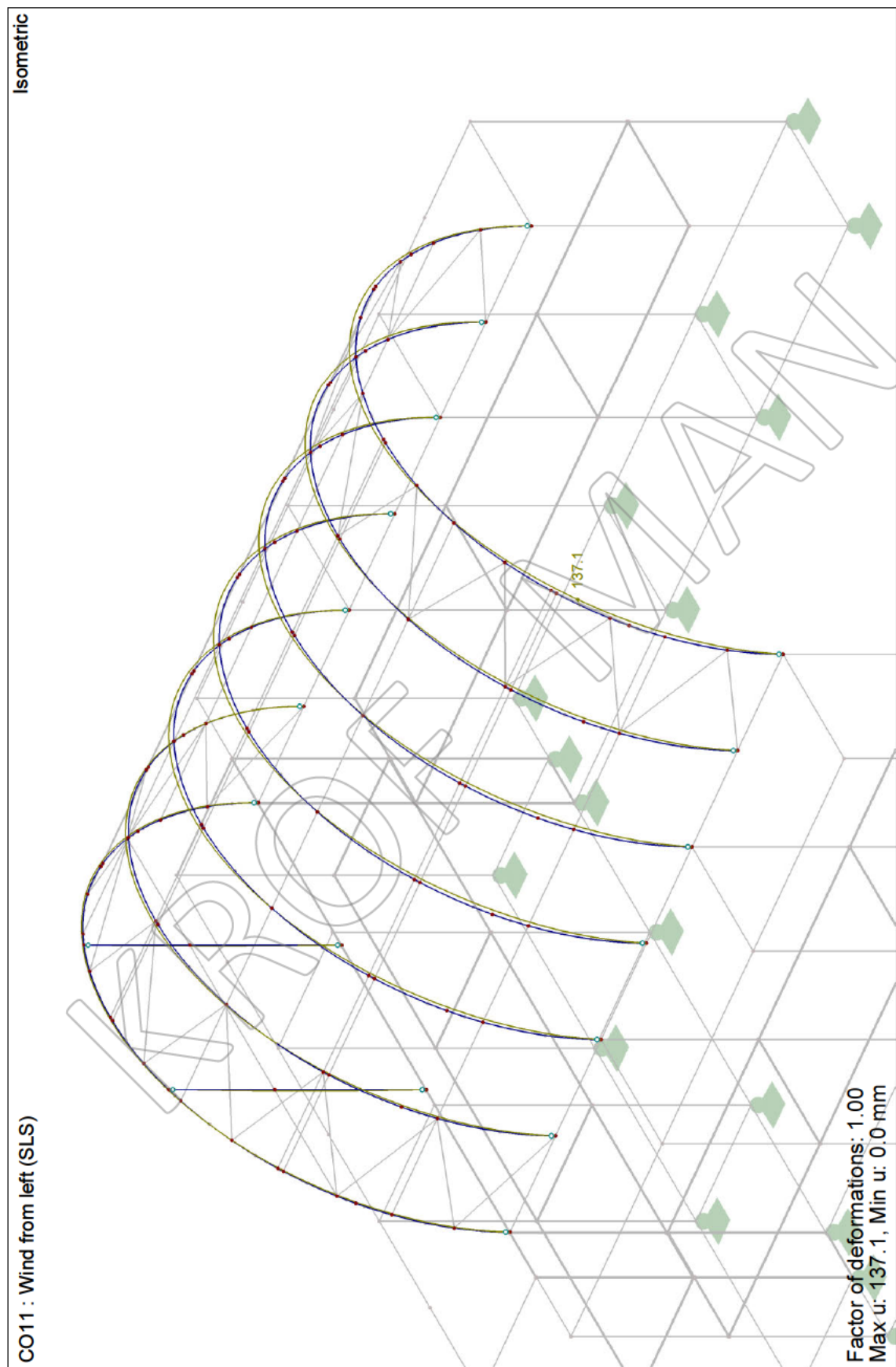
6.4. Decisive loadings

6.4.1. Bending moment



Maximum bending moment = 9.20 kNm (CO1)

6.4.3. Deformation (SLS)



The main profile has a maximum deformation of 137 mm due to serviceability limit state (SLS).

6.5. Comparison of forces in the components/connections

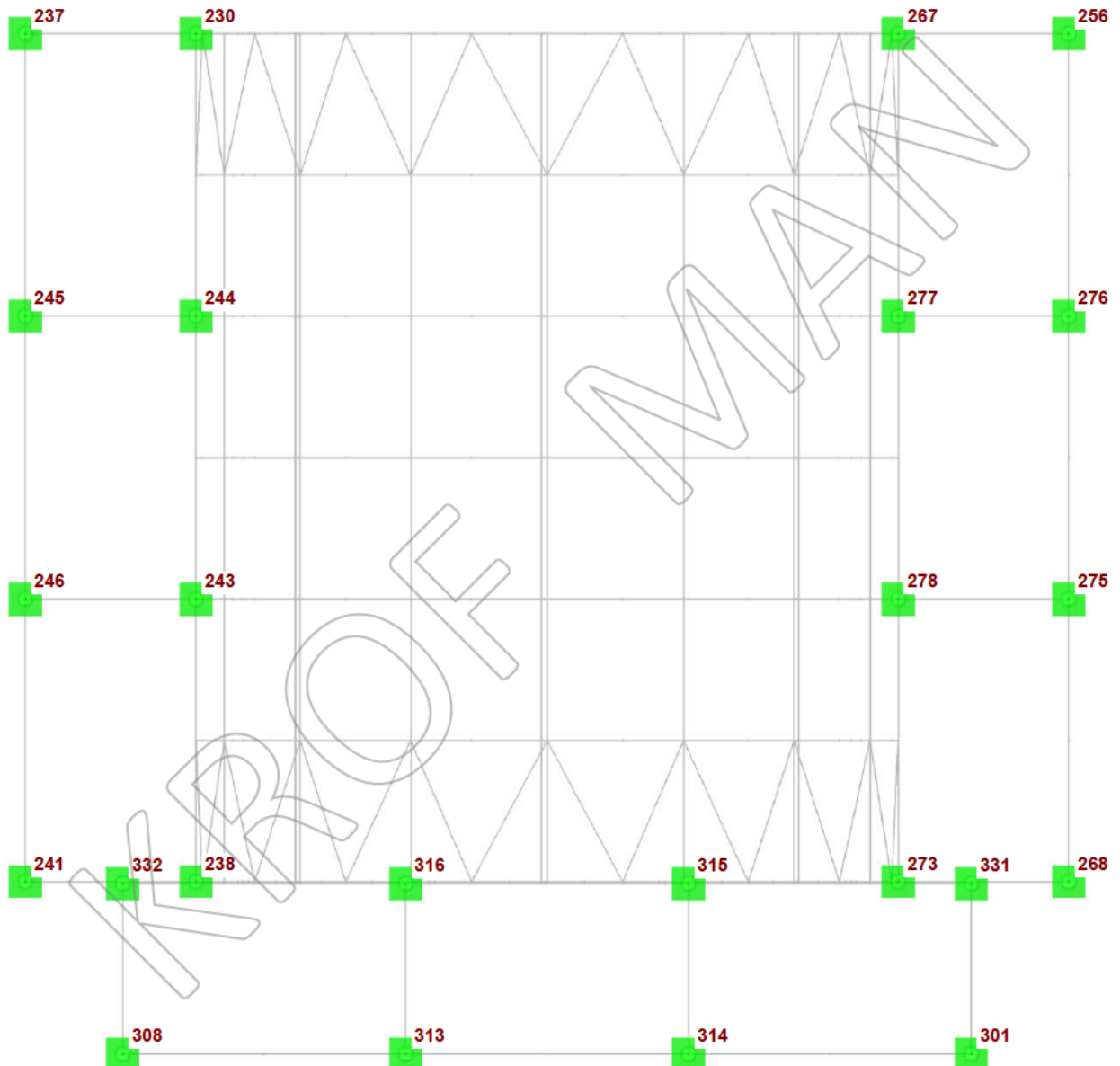
A comparison of the loads for Double container structure CT-AH-1012 with the reference building book (240906 Kroftman Container Shelter 15 x 12 m Build book Annex 1) has been performed and reported in the table below. It is found that the resulting forces in the Double container structure CT-AH-1012 are loads lower than in previous studies for most of the structural elements. But for a few structural elements, the forces are greater than in previous studies, and these higher forces do not lead to any failure of the structural elements.

Acting loadings based on the static "240906 Kroftman Container Shelter 15 x 12m Build book Annex 1"				
SI No.	Component / Connection	material	Acting loadings according to the CTS1512 Build book Annex	Acting loadings in CT-AH-1012 France
1	Main profile (Roof frame & gable column)	S355	$N_{Ed} = 34.95 \text{ kN}$	$N_{Ed} = 7.90 \text{ kN}$
			$M_{y,Ed} = 7.89 \text{ kNm}$	$M_{y,Ed} = 9.20 \text{ kNm}$
2	Frame to frame connection	S355	$N_{Ed} = 34.95 \text{ kN}$	$N_{Ed} = 26.24 \text{ kN}$
3	Heavy duty container clamps	S355	$N_{Ed} = 25.68 \text{ kN}$	$N_{Ed} = 26.24 \text{ kN}$
4	Bridge strip connection	S235	$V_{z,Ed} = 34.96 \text{ kN}$	$V_{z,Ed} = 9.03 \text{ kN}$
5	Base rail to container connection at corner	S235	$N_{Ed} = 16.04 \text{ kN}$	$N_{Ed} = 23.04 \text{ kN}$
			$V_{z,Ed} = 21.83 \text{ kN}$	$V_{z,Ed} = 9.03 \text{ kN}$
6	Roof diagonal ($\varnothing 60 \times 1.5 \text{ mm}$)	S235	$N_{Ed} = 11.85 \text{ kN}$	$N_{Ed} = 14.78 \text{ kN}$
7	Purlins ($\varnothing 60 \times 1.5 \text{ mm}$)	S235	$N_{Ed} = 11.73 \text{ kN}$	$N_{Ed} = 7.60 \text{ kN}$

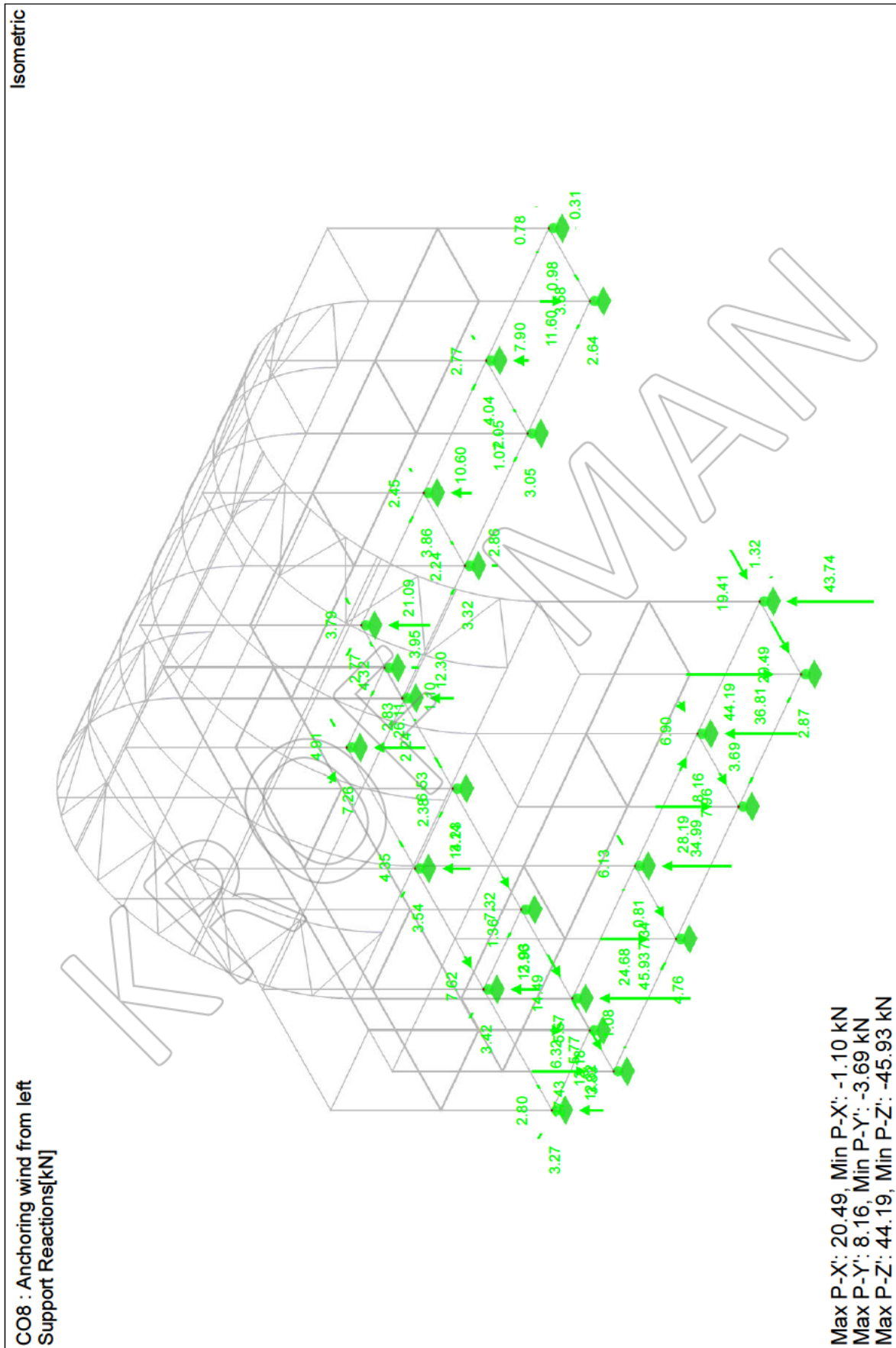
7. Reaction forces

The RFEM analysis model incorporates a container-shaped rigid body to reflect real-life conditions. In actual construction, these containers are placed directly on the ground, increasing their contact surface area. Eight supports were applied to each container-shaped rigid body to achieve a more realistic simulation. This setup ensures a more accurate simulation of load distribution and ground interaction.

7.1. Node numbers



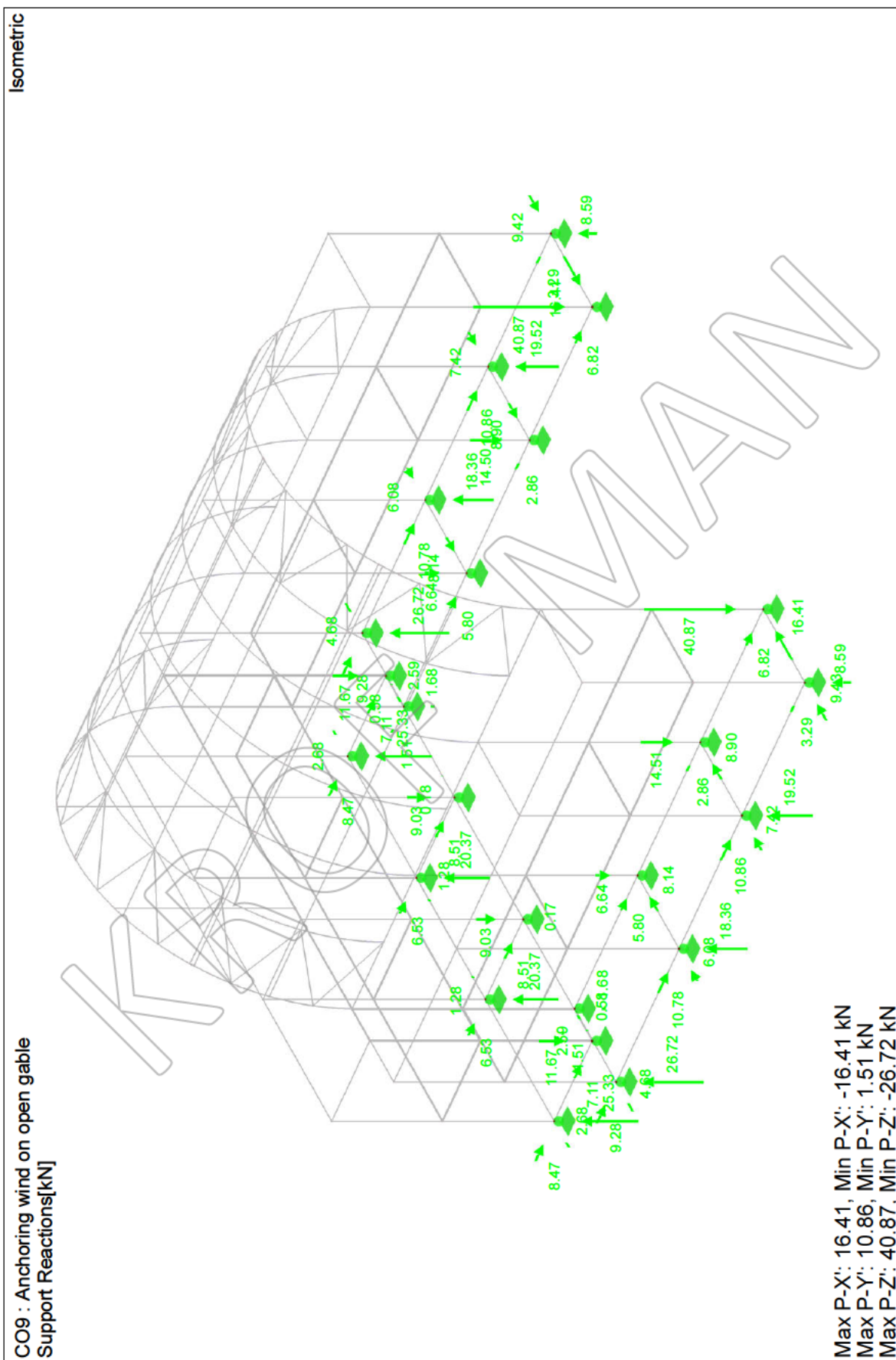
7.2. Anchoring wind from left reaction forces (CO8)



7.2.1. Reaction forces (CO8)

Node No.	Support Forces [kN]		
	$P_{x'}$	$P_{y'}$	$P_{z'}$
230	19.41	-1.32	-43.74
237	20.49	2.87	44.19
238	14.49	5.77	-45.93
241	12.18	-1.08	27.43
243	6.13	0.81	-34.99
244	6.90	8.16	-36.81
245	7.96	-3.69	28.19
246	7.34	4.76	24.68
256	0.78	0.98	-0.31
267	3.58	2.64	11.60
268	3.79	4.32	-21.09
273	-1.10	2.24	-12.30
275	2.45	3.86	-10.60
276	2.77	4.04	-7.90
277	2.05	3.05	1.07
278	2.24	3.32	-2.86
301	4.91	7.26	-26.11
308	2.80	3.27	-12.32
313	7.62	3.42	-13.93
314	4.35	3.54	-14.23
315	6.53	3.14	2.38
316	7.32	2.96	1.36
331	2.77	2.83	-3.95
332	5.57	3.83	6.32
Σ Forces	153.33	70.98	-139.85
Σ Loads	153.33	70.98	-139.85

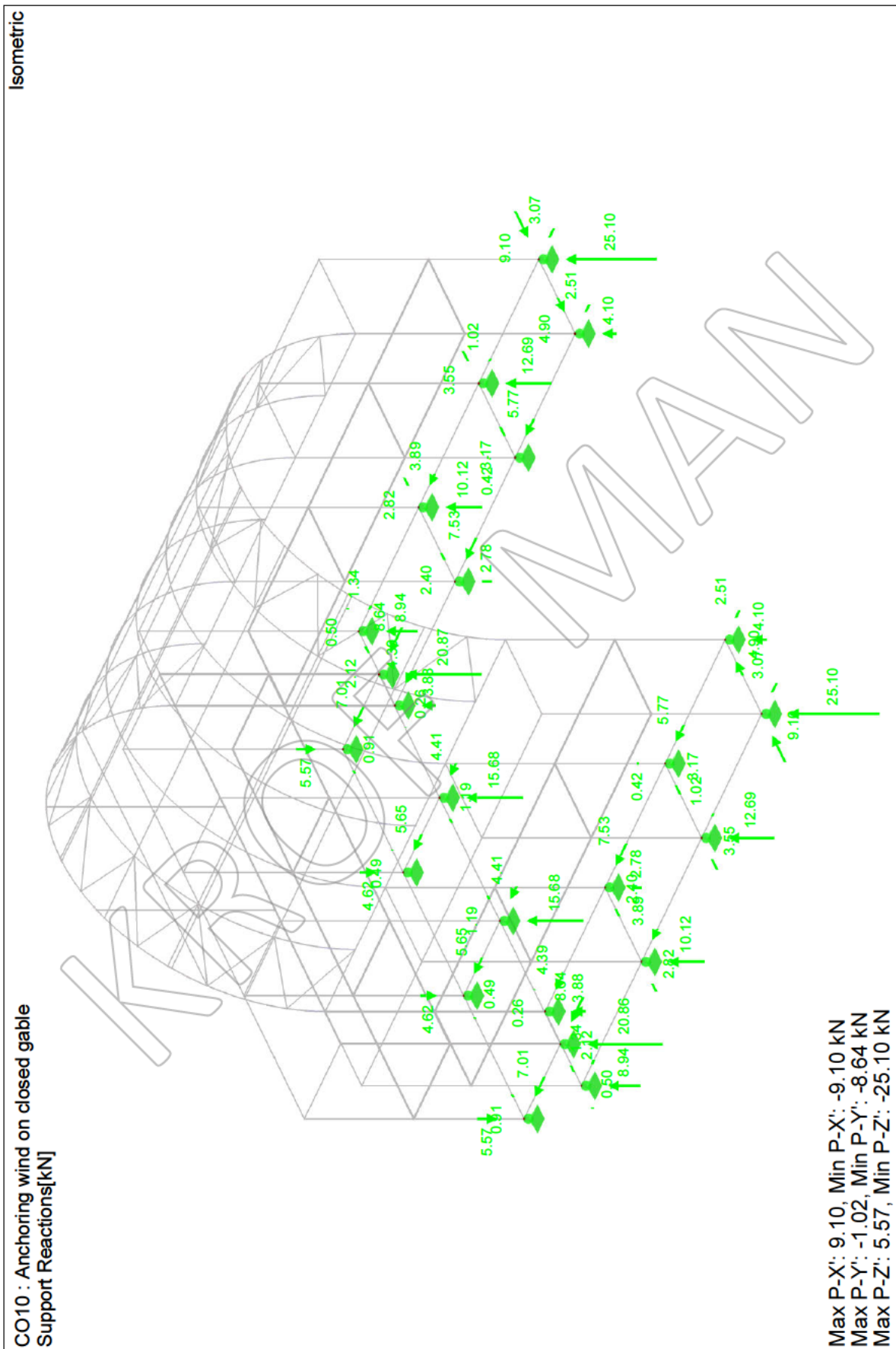
7.3. Anchoring wind on open gable reaction forces (CO9)



7.3.1. Reaction forces (CO9)

Node No.	Support Forces [kN]		
	$P_{x'}$	$P_{y'}$	$P_{z'}$
230	-16.41	6.82	40.87
237	-9.43	3.29	-8.59
238	-0.58	1.51	-1.68
241	-4.68	9.28	-26.72
243	-8.14	5.80	6.64
244	-8.90	2.86	14.51
245	-7.42	10.86	-19.52
246	-6.08	10.78	-18.36
256	9.42	3.29	-8.59
267	16.41	6.82	40.87
268	4.68	9.28	-26.72
273	0.58	1.51	-1.68
275	6.08	10.78	-18.36
276	7.42	10.86	-19.52
277	8.90	2.86	14.50
278	8.14	5.80	6.64
301	2.68	8.47	-25.33
308	-2.68	8.47	-25.33
313	1.28	6.53	-20.37
314	-1.28	6.53	-20.37
315	0.18	8.51	9.03
316	-0.17	8.51	9.03
331	-2.59	7.11	11.67
332	2.59	7.11	11.67
Σ Forces	0.00	163.63	-75.69
Σ Loads	0.00	163.63	-75.69

7.4. Anchoring wind on closed gable reaction forces (CO10)



7.4.1. Reaction forces (CO10)

Node No.	Support Forces [kN]		
	$P_{x'}$	$P_{y'}$	$P_{z'}$
230	-4.90	-2.51	-4.10
237	-9.10	-3.07	-25.10
238	0.26	-4.39	-3.88
241	-0.50	-1.34	-8.94
243	-2.40	-7.53	-2.78
244	-3.17	-5.77	0.42
245	-3.55	-1.02	-12.69
246	-2.82	-3.89	-10.12
256	9.10	-3.07	-25.10
267	4.90	-2.51	-4.10
268	0.50	-1.34	-8.94
273	-0.26	-4.39	-3.88
275	2.82	-3.89	-10.12
276	3.55	-1.02	-12.69
277	3.17	-5.77	0.42
278	2.40	-7.53	-2.78
301	-0.91	-7.01	5.57
308	0.91	-7.01	5.57
313	-0.49	-5.65	4.62
314	0.49	-5.65	4.62
315	-1.19	-4.41	-15.68
316	1.19	-4.41	-15.68
331	2.12	-8.64	-20.87
332	-2.12	-8.64	-20.86
Σ Forces	0.00	-110.48	-187.10
Σ Loads	0.00	-110.48	-187.10

8. Anchoring

This build book assumes a certain pull-out resistance of an anchor pin. The factor f_{load} gives the pull-out value, which partly depends on the pull-out angle.

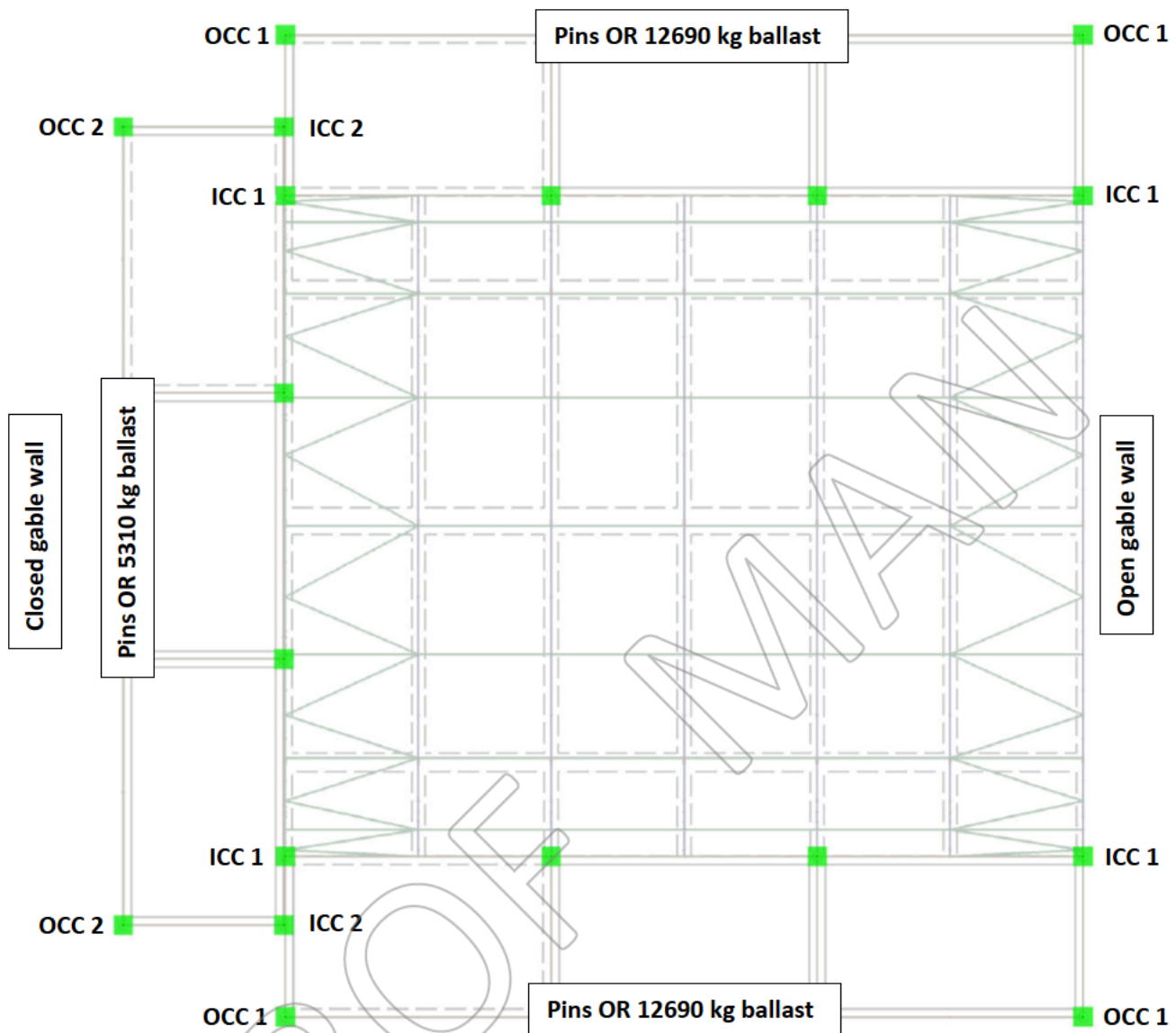
The assumed $f_{load} = 17 \text{ N/cm}^2$

The anchor pin ($\varnothing 25 \times 1200 \text{ mm}$) should have a minimum holding capacity of 3.4 kN per pin.

To perform the anchoring calculation, a pin diameter of $\varnothing 25 \text{ mm}$ with an effective length of 800 mm ($\varnothing 25 \times 1200 \text{ mm}$) has been applied, and the friction coefficient in case of ballast anchoring is $\mu = 0.6$.

KROFTMAN

8.1. Anchoring overview



Pin: Ø25 x 1200mm

Position	No. of Pins		Ballast
OCC 1	19	OR	12690 kg
OCC 2	4	OR	5310 kg
ICC 1	10	OR	-
ICC 2	7	OR	-

friction coefficient, $\mu = 0.6$

Note:

- The 12690 kg ballast must be applied to the outer wall between OCC 1 – OCC 1.
- The 5310 kg ballast must be applied to the outer wall between OCC 2 – OCC 2.
- If the required number of pins cannot be applied specifically to the containers corner positions, it may be sufficient to place them along the container's length side (outer positions for OCC and inner positions for ICC).

8.2. Anchoring calculation - Anchor pin $\varnothing 2.5 \times 120$ cm

For 45° pull, $f_{load} = 17$ N/cm²

For 0° pull, $f_{load} = 6.5$ N/cm²

Diameter of the pin, $d = \varnothing 2.5$ cm

Length of the pin = 120 cm

Allowable effective length, $l = 80$ cm

8.2.1. Side containers

8.2.1.1. Wind from left (CO8)

To determine Pin.

Total horizontal force per container in 'X' direction,

$$\sum F_x = 19.41 + 20.49 + 6.90 + 7.96 + 6.13 + 7.34 + 14.49 + 12.18 = 94.9 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 2.87 - 1.32 - 3.69 + 8.16 + 4.76 + 0.81 - 1.08 + 5.77 = 16.28 \text{ kN}$$

$$\text{Total horizontal force per container, } \sum F_{xy} = (94.9^2 + 16.28^2)^{0.5} = 96.29 \text{ kN}$$

$$\text{Total down force per container} = -(43.74 + 36.81 + 34.99 + 45.93) = -161.47 \text{ kN}$$

$$\text{Resistance to the horizontal sliding due to the down force} = -161.47 \times 0.6 = -96.88$$

$$\text{Remaining horizontal force per container} = 96.29 - 96.88 = -0.59 < 0$$

8.2.1.2. Wind on open gable (CO9)

To determine Pin.

Total horizontal force per container in 'X' direction,

$$\sum F_x = 16.41 + 9.43 + 8.90 + 7.42 + 8.14 + 6.08 + 0.58 + 4.68 = 61.64 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 6.82 + 3.29 + 2.86 + 10.86 + 5.80 + 10.78 + 1.51 + 9.28 = 51.2 \text{ kN}$$

$$\text{Total horizontal force per container, } \sum F_{xy} = (61.64^2 + 51.2^2)^{0.5} = 80.13 \text{ kN}$$

$$\text{Total down force per container} = -(8.59 + 19.52 + 18.36 + 26.72 + 1.68) = -74.87 \text{ kN}$$

$$\text{Resistance to the horizontal sliding due to the down force} = -74.87 \times 0.6 = -44.92$$

$$\text{Remaining horizontal force per container} = 80.13 - 44.92 = 35.21 \text{ kN}$$

The containers are anchored to the ground at each corner using anchor pin and brackets.

$$\text{The horizontal force remaining per container corner} = 35.21 / 4 = \mathbf{8.80 \text{ kN}}$$

If the required number of pins cannot be applied specifically to the containers corner positions, it may be sufficient to place them along the container's length side (outer positions for OCC and inner positions for ICC).

Outer corners of container position 1 (OCC 1);

Decisive load combination CO8;

The outer side of the container experiences the highest uplift forces. To address this, the reaction forces on the outer side are gathered and split into two factors. This helps to determine the critical force at each outer corner.

Total uplift/downforce available per container on the outer side,

$$\Sigma F_z = 44.19 + 28.19 + 24.68 + 27.43 = 124.49 \text{ kN}$$

The uplift remaining in each OCC position, $Z_v = 124.49 / 2 = 62.25 \text{ kN}$

Horizontal force remaining per container corner = 0 kN (Chapter 8.2.1.1)

$$Z_{Ed} = 62.25 \text{ kN}$$

Capacity per pin, $Z_{Rd} = f_{load} \times d \times l$

$$f_{load} = 17 \text{ N/cm}^2$$

$$\text{Capacity per pin, } Z_{Rd} = 17 \times 2.5 \times 80 = 3400 \text{ N} = 3.4 \text{ kN}$$

$$\text{Number of pins required to anchor down the position OCC 1} = 62.25 / 3.4 = \mathbf{18.31}$$

Pos. OCC 1: 19 pins

Inner corners of container position 1 (ICC 1);

Decisive load combination CO9;

The uplift forces on the inner side are gathered and split into two factors.

Total uplift/downforce available per container on the inner side,

$$\Sigma F_z = 40.87 + 14.51 + 6.64 = 62.02 \text{ kN}$$

The uplift remaining in each ICC position, $Z_v = 62.02 / 2 = 31.01 \text{ kN}$

Horizontal force remaining per container corner = 8.8 kN (Chapter 8.2.1.2)

$$Z_{Ed} = (31.01^2 + 8.80^2)^{0.5} = 32.23 \text{ kN}$$

Capacity per pin, $Z_{Rd} = f_{load} \times d \times l$

$$f_{load} = 17 \text{ N/cm}^2$$

$$\text{Capacity per pin, } Z_{Rd} = 17 \times 2.5 \times 80 = 3400 \text{ N} = 3.4 \text{ kN}$$

$$\text{Number of pins required to anchor down the position ICC 1} = 32.23 / 3.4 = \mathbf{9.48}$$

Pos. ICC 1: 10 pins

8.2.2. Gable side container

8.2.2.1. Wind on open gable (CO9)

To determine Pin;

Total horizontal force per container in 'X' direction,

$$\sum F_x = 2.68 - 2.59 - 1.28 + 0.17 + 1.28 - 0.18 - 2.68 + 2.59 = 0.01 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 8.47 + 7.11 + 8.51 + 6.53 + 8.51 + 6.53 + 7.11 + 8.47 = 61.24 \text{ kN}$$

Total horizontal force per container, $\sum F_{xy} = (61.24^2 + 0.01^2)^{0.5} = 61.24 \text{ kN}$

Total down force per container = $-(25.33 + 20.37 + 20.37 + 25.33) = -91.4 \text{ kN}$

Resistance to the horizontal sliding due to the down force = $-91.4 \times 0.6 = -54.84$

Remaining horizontal force per container = $61.24 - 54.84 = 6.4 \text{ kN}$

The containers are anchored to the ground at each corner using anchor pin brackets fixed to them.

Therefore, the horizontal force remaining per container corner = $6.4 / 4 = 1.6 \text{ kN}$

8.2.2.2. Wind on closed gable (CO10)

To determine Pin;

Total horizontal force per container in 'X' direction,

$$\sum F_x = 2.12 - 0.91 - 1.19 + 0.49 + 1.19 - 0.49 + 0.91 - 2.12 = 0 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 8.64 + 7.01 + 4.41 + 5.65 + 4.41 + 5.65 + 8.64 + 7.01 = 51.42 \text{ kN}$$

Total horizontal force per container, $\sum F_{xy} = (51.42^2 + 0^2)^{0.5} = 51.42 \text{ kN}$

Total down force per container = $-(20.86 + 15.68 + 15.68 + 20.87) = -73.09 \text{ kN}$

Resistance to the horizontal sliding due to the down force = $-73.09 \times 0.6 = -43.85$

Remaining horizontal force per container = $51.42 - 43.85 = 7.57 \text{ kN}$

The containers are anchored to the ground at each corner using anchor pin brackets fixed to them.

Therefore, the horizontal force remaining per container corner = $7.57 / 4 = 1.89 \text{ kN}$

Outer corners of container position 2 (OCC 2);

Decisive load combination CO10;

The uplift forces on the outer side are gathered and split into two factors. This helps to determine the critical force at each inner corner.

Total uplift/downforce available per container on the outer side,

$$\sum F_z = 5.57 + 4.62 + 4.62 + 5.57 = 20.38 \text{ kN}$$

The uplift remaining in each OCC position, $Z_v = 20.38 / 2 = 10.19 \text{ kN}$

Horizontal force remaining per container corner = 1.89 kN (Chapter 8.2.2.2)

$$Z_{Ed} = (10.19^2 + 1.89^2)^{0.5} = 10.36 \text{ kN}$$

Capacity per pin, $Z_{Rd} = f_{load} \times d \times l$

$$f_{load} = 17 \text{ N/cm}^2$$

Capacity per pin, $Z_{Rd} = 17 \times 2.5 \times 80 = 3400 \text{ N} = 3.4 \text{ kN}$

Number of pins required to anchor down the position OCC 2 = $10.36 / 3.4 = 3.05$

Pos. OCC 2: 4 pins

Inner corners of container position 2 (ICC 2);

Decisive load combination CO9;

The inner side of the container experiences the highest uplift forces. To address this, the reaction forces on the inner side are gathered and split into two factors. This helps to determine the critical force at each outer corner.

Total uplift/downforce available per container on the inner side,

$$\sum F_z = 11.67 + 9.03 + 9.03 + 11.67 = 41.4 \text{ kN}$$

The uplift remaining in each ICC position, $Z_v = 41.4 / 2 = 20.70 \text{ kN}$

Horizontal force remaining per container corner = 1.6 kN (Chapter 8.2.2.1)

$$Z_{Ed} = (20.70^2 + 1.6^2)^{0.5} = 20.76 \text{ kN}$$

Capacity per pin, $Z_{Rd} = f_{load} \times d \times l$

$$f_{load} = 17 \text{ N/cm}^2$$

Capacity per pin, $Z_{Rd} = 17 \times 2.5 \times 80 = 3400 \text{ N} = 3.4 \text{ kN}$

Number of pins required to anchor down the position ICC 2 = $20.76 / 3.4 = 6.1$

Pos. ICC 2: 7 pins

8.3. Anchoring ballast calculation

8.3.1. Side containers

8.3.1.1. Wind from left (CO8: Decisive combination)

Ballast requirement per container;

Total Uplift available per container,

$$\sum F_z = 44.19 + 28.19 + 24.68 + 27.43 = 124.49 \text{ kN}$$

Total horizontal force per container in 'X' direction,

$$\sum F_x = 19.41 + 20.49 + 6.90 + 7.96 + 6.13 + 7.34 + 14.49 + 12.18 = 94.90 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 2.87 - 1.32 - 3.69 + 8.16 + 4.76 + 0.81 - 1.08 + 5.77 = 16.28 \text{ kN}$$

Total horizontal force per container, $\sum F_{xy} = (94.90^2 + 16.28^2)^{0.5} = 96.29 \text{ kN}$

Resistance to the horizontal sliding due to the down force,

$$= -(43.74 + 36.81 + 34.99 + 45.93) = -161.47 \text{ kN}$$

Required resistance for horizontal sliding = $\sum F_x = 96.29 / 0.6 = 160.48 \text{ kN}$

Remaining horizontal sliding shortage = $160.48 - 161.47 = -0.99 \text{ kN} < 0$

Ballast required = $(124.49) \times 1000 / 9.81 = 12690.11 \text{ kg}$

12690 kg ballast is required per container.

8.3.2. Gable side container

8.3.2.1. Wind on open gable (CO9: Decisive combination)

Ballast requirement per container;

Total Uplift available per container,

$$\sum F_z = 11.67 + 9.03 + 9.03 + 11.67 = 41.4 \text{ kN}$$

Total horizontal force per container in 'X' direction,

$$\sum F_x = 2.68 - 2.59 - 1.28 + 0.18 + 1.28 - 0.17 + 2.59 - 2.68 = 0.01 \text{ kN}$$

Total horizontal force per container in 'Y' direction,

$$\sum F_y = 8.47 + 7.11 + 8.51 + 6.53 + 8.51 + 6.53 + 7.11 + 8.47 = 61.24 \text{ kN}$$

Total horizontal force per container, $\sum F_{xy} = (61.24^2 + 0.01^2)^{0.5} = 61.24 \text{ kN}$

Resistance to the horizontal sliding due to the down force = $-(25.33 + 20.37 + 20.37 + 25.33) = -91.4 \text{ kN}$

Required resistance for horizontal sliding = $\sum F_x = 61.24 / 0.6 = 102.1 \text{ kN}$

Remaining horizontal sliding shortage = $102.1 - 91.4 = 10.7 \text{ kN}$

Ballast required = $(10.7 + 41.4) \times 1000 / 9.81 = 5310.55 \text{ kg}$

5310 kg ballast is required per container.